

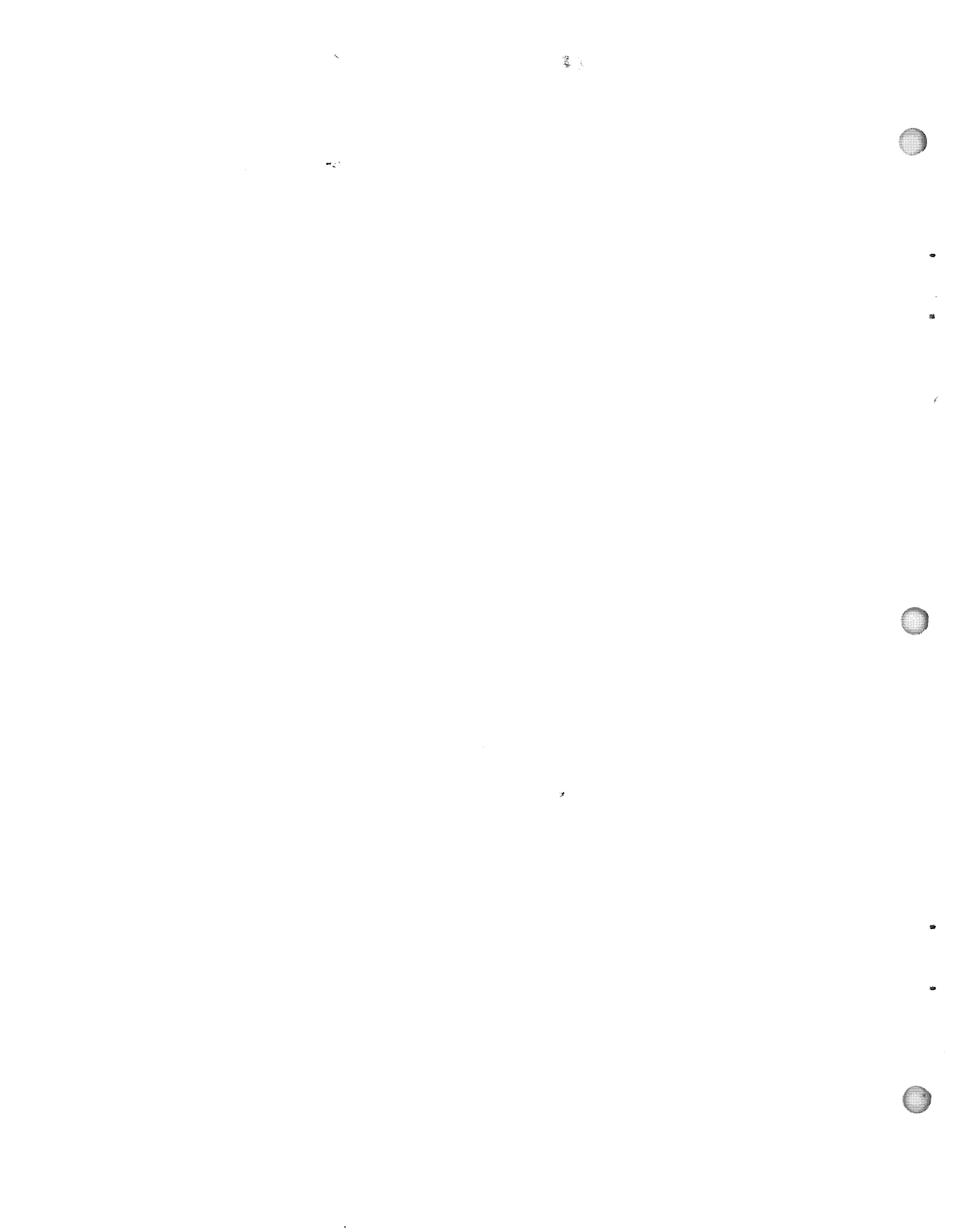


STATISTICS/ENGINEERING
 GENERAL PROGRAM LIBRARY
 GLBR 22A

Jack Jarvis & Company, Inc.
 707 S. W. Washington Street
 Portland, Oregon 97205
 Telephone: (503) 224-7838

SYSTEM 2200





Jack Jarvis & Company, Inc.
707 S. W. Washington Street
Portland, Oregon 97205
Telephone: (503) 224-7838

2200 General Library

Statistics/Engineering

GLBR 22A

© Wang Laboratories, Inc., 1973



LABORATORIES, INC.

836 NORTH STREET, TEWKSBURY, MASSACHUSETTS 01876, TEL.(617) 851-4111, TWX 710 343-6739, TELEX 94-7421

Warranty Disclaimer and Consequential Damages

The programming staff of Wang Laboratories, Inc. has taken due care to prepare this program package, including research, development, and testing to ascertain its effectiveness. Wang Laboratories, Inc. and its subsidiaries make no expressed or implied warranty of any kind with regard to this program package and its related material. In no event shall Wang Laboratories, Inc. or its subsidiaries be liable for incidental or consequential damages in connection with or arising out of the furnishing, performance or use of any of its programs.

Proprietary Rights

This program package is a company proprietary item. Tape cassettes of programs may not be reproduced without the written consent of Wang Laboratories, Inc.

Payment Address

The fee for a package is to be remitted directly to Wang Laboratories, Inc. at 836 North Street, Tewksbury, Massachusetts 01876. No agent or representative is charged with the authority to accept payment on behalf of the administrative offices of Wang, Laboratories, Inc.

INTRODUCTION

Programs of varying complexity and from different fields have been included in this library to provide a sample of the usefulness and versatility of the 2200 series calculators. Programs have been selected bearing in mind their use and possible application. Each one contains a set of instructions which is easy to follow; at least one example per program has been given to facilitate checking and enhance comprehension.

In loading the program tapes advantage may be taken of SKIP and BACKSPACE features. These two features and their use are explained on a following page.

Programs are designed to display all output on the CRT. However, they may be adapted for printing the output on either the 2201 (typewriter) or the 2221 (Hi-Speed Printer).

NOTE: All operating instructions assume you are at the beginning of the block you desire.

If you wish to load programs that are separated by other blocks, you may use one of two methods.

- (1) LOAD each block until you reach the desired block. This would require the repetition of 4 keystrokes for each block between your current position and your desired position. The 4 keystrokes would be:

CLEAR , **CR/LF** , **LOAD** , **CR/LF**

This method would require you to REWIND the tape if you desire a block which you have passed.

- (2) Using the SKIP feature will allow you to go from one block to another with less work, and the BACKSPACE feature will allow you to "back-up" to a block that you have passed.
- a) SKIP - Subtract from the Block # corresponding to where you wish to be, the Block # corresponding to your current location then subtract 1. This is the # of files to skip to place you at the beginning of the desired block.

For Example,

The last block loaded was 4; you wish to load Block 12.

$$12 - 4 - 1 = 7$$

Key S, K, I, P, 7, F, **CR/LF**

- b) BACKSPACE - Subtract from the block # corresponding to your present location, the block # corresponding to your desired location then add 1. This is the # of files to backspace to place you at the beginning of the desired block.

For Example,

The last block loaded was 12; you wish to load block 4,

$$12 - 4 + 1 = 9$$

Key B, A, C, K, S, P, A, C, E, 9, F, **CR/LF**

To change output device from 2216 (CRT display) to 2201 (typewriter) or 2221 (Hi-Speed Printer) the following procedure is used:

1. Choose what output is to be displayed or typed.
2. Insert a statement with the following information:
For CRT display
Statement # SELECT PRINT 005
For Typewriter (2201)
Statement # SELECT PRINT 211
For Hi-Speed Printer (2221)
Statement # SELECT PRINT 215

It may be advisable to change print to the CRT at the end of the program.

This page intentionally left blank

TABLE OF CONTENTS

Tape II

BLOCK	PROGRAM	PAGE
1	✓ LINEAR REGRESSION: $Y = A + BX$	3
2	✓ MULTIPLE LINEAR REGRESSION	7
3	✓ Nth ORDER REGRESSION	13
4	✓ EXPONENTIAL REGRESSION: $Y = Ae^{BX}$	17
5	✓ GEOMETRIC REGRESSION: $Y = AX^B$	23
6	LINEAR CORRELATION	29
7	CORRELATION MATRIX	33
8	ONE-WAY ANALYSIS OF VARIANCE	39
9	TWO-WAY ANALYSIS OF VARIANCE.	43
10	ANALYSIS OF VARIANCE - LATIN SQUARES.	47
11	CHI-SQUARE TEST & DISTRIBUTION.	55
12	CHI-SQUARE ANALYSIS	59
13	T-TEST	63
14	WILCOXON MATCHED-PAIRS SIGNED-RANKS TEST	69
15	MANN-WHITNEY-TEST	72
16	NORMAL FREQUENCY AND DISTRIBUTION FUNCTION.	77
17	NEGATIVE BINOMIAL DISTRIBUTION	81
18	BINOMIAL DISTRIBUTION	85
19	POISSON DISTRIBUTION	89
20	F-VALUE	93
21	T-VALUE	97
22	RANDOM NORMAL DEVIATES	101
23	MEAN, VARIANCE, STANDARD DEVIATION I	107
24	MEAN, VARIANCE, STANDARD DEVIATION II	111
25	GEOMETRIC MEAN AND STANDARD DEVIATION	115
26	CROSS-COVARIANCE OF TIME SERIES	119
27	AUTO-COVARIANCE OF TIME SERIES	123
28	SYSTEM RELIABILITY	127
29	ERROR FUNCTION	131
30	TALBOT'S FORMULA	137
31	MANNING'S FORMULA	141
32	HEADLOSS IN A PIPE	145
33	BERNOULLI'S EQUATION.	147
34	WARPING STRESS DUE TO TEMPERATURE DIFFERENTIAL.	153
35	PRESSURE DUE TO SURFACE LOADS, PRINT LOADS, FINITE OR INFINITE LINE LOADS.	157
36	BEAM	163
37	OIL WELL DEPLETION	167
38	NETWORK IMPEDANCE - FINDING A SERIES OR PARALLEL CIRCUIT.	171
39	CHARACTERISTIC GENERATOR RESISTANCE AND SOURCE emf VOLTAGE.	175
40	"ERLANG B" EQUATION	179



•

•



•

•



REGRESSION

<u>BLOCK NO.</u>	<u>PROGRAM TITLE</u>
1	LINEAR REGRESSION: $Y = A + BX$
2	MULTIPLE LINEAR REGRESSION
3	Nth ORDER LINEAR REGRESSION
4	EXPONENTIAL REGRESSION: $Y = Ae^{BX}$
5	GEOMETRIC REGRESSION: $Y = AX^B$
6	LINEAR CORRELATION
7	CORRELATION MATRIX

This page intentionally left blank

WANG 2200 SERIES PROGRAM

LINEAR REGRESSION: $Y = A + BX$

TITLE

PS.01-2200.01A-00FI-1-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Fits the curve $Y = A + BX$ to a set of N data points by the method of least squares. Also, an analysis of regression is performed.

BLOCK	SAVE "NAME"	BYTES REQUIRED
1		1159

PROGRAM DESCRIPTION

Fits the curve $Y = A + BX$ to a set of N data points by the method of least squares. Also, an analysis of regression is performed - the regression table, F -value, coefficient of determination, coefficient of correlation, and standard error of estimate are printed out. The user may estimate values of Y from the regression curve by inputting values of X .

$$\text{Sample correlation coefficient, } r = \frac{n\sum XY - (\sum X)(\sum Y)}{\sqrt{[n\sum x^2 - (\sum x)^2] [n\sum Y^2 - (\sum Y)^2]}}$$

$$B = \frac{n\sum XY - (\sum X)(\sum Y)}{n\sum X^2 - (\sum X)^2}$$

$$A = \frac{\sum Y - B\sum X}{n}$$

$$\text{Standard error of estimate, } \hat{S}_{Y \cdot X} = \frac{1}{n} \sqrt{(n\sum Y^2 - (\sum Y)^2) - \frac{(n\sum XY - \sum X\sum Y)^2}{n\sum X^2 - (\sum X)^2}}$$

$$\text{F-test for } r, F_r = \frac{r^2 (n-2)}{1 - r^2}$$

$$\text{Coefficient of Determination} = r^2$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right.

OPERATING INSTRUCTIONS

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

4. Key # of Data Pairs **CR/LF**

5. INSTRUCTION

6. Key X_1 ' Y_1 **CR/LF**

Key X_2 ' Y_2 **CR/LF**

.

.

Key X_n ' Y_n **CR/LF**

7. Read Answer

0 DEG COEFF, is A

1 DEG COEFF. is B

EXAMPLE

Perform a linear regression on the following data points

X	Y
1	1
3	2
4	4
6	4
8	5
9	7
11	8
14	9

INPUT N

4. Key 8 **CR/LF**

INPUT DATA POINTS

6. Key 1 ' 1

CR/LF

Key 3 ' 2

CR/LF

.

.

.

Key 1 4 ' 9

CR/LF

0 DEG. COEFF. = .545454545455

1 DEG. COEFF. = .6363636363636

Program will stop, the word STOP will appear on the CRT (display)

To have residual table, and other results outputed, Key **CONTINUE** **CR/LF**

© Wang Laboratories, Inc., 1973

OPERATING INSTRUCTIONS (Cont)

REGRESSION TABLE

SOURCE	SUM OF SQ.	DEG. FREEDOM	MEAN SQ.
REGRESSION	53.45454545454	1	53.45454545454
RESIDUAL	2.54545454546	6	.4242424242433
TOTAL	56	7	

F = 125.999999997

COEFF. OF DETERMINATION = .9545454545454

COEFF. OF CORRELATION = .97700842092

STANDARD ERROR OF ESTIMATE = .65133894728

8. INSTRUCTION DO YOU WISH TO ESTIMATE VALUES OF Y FROM THE REGRESSION CURVE?
(1 = YES, 0 = NO)
9. Key either 1 or 0 9. Key 1
- If you choose 0 go to Step 15.
10. INSTRUCTION INPUT X
11. Key X 11. Key 5
12. Read Y Y = 3.727272727273
13. INSTRUCTION ANOTHER POINT? (1 = YES, 0 = NO)
14. Go to Step 9.
15. Program halts. END PROGRAM

WANG 2200 SERIES PROGRAM

MULTIPLE LINEAR REGRESSION

TITLE

PS.01-2200.01A-00FI-2-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Fits the curve: $Y = B_0 + B_1 X_1 + B_2 X_2 + \dots + B_m X_m$

to a set of N data points by the least squares method and then performs an analysis of regression. This last part is optional.

BLOCK	SAVE "NAME"	BYTES REQUIRED
2		2186

PROGRAM DESCRIPTION

This is a two-part program. The first segment fits the curve:

$$y = b_0 + b_1 X_1 + b_2 X_2 + \dots + b_M X_M \quad (M \leq 4)$$

to a set of N data points by the method of least squares. The second segment performs an analysis of regression - the regression table, F-value, coefficient of determination, coefficient of multiple correlation, and standard error of estimate are printed out. The user may also estimate values of Y from the regression curve by supplying values for the independent variables (X_1, X_2, \dots, X_M).

Ref. 1: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc. 1969, p. 264 ff.

Formulae

Solution matrix

$$\begin{aligned} nb_0 + \Sigma X_1 b_1 + \Sigma X_2 b_2 + \dots + \Sigma X_N b_N &= \Sigma Y \\ \Sigma X_1 b_0 + \Sigma X_1^2 b_1 + \Sigma X_1 X_2 b_2 + \dots + \Sigma X_1 X_N b_N &= \Sigma X_1 Y \\ &\vdots \\ \Sigma X_N b_0 + \Sigma X_1 X_N b_1 + \Sigma X_2 X_N b_2 + \dots + \Sigma X_N^2 b_N &= \Sigma X_N Y \end{aligned}$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**
2. Key **RUN** **CR/LF**
3. INSTRUCTION
4. Key # of Independent Variables **:**
of Data Points, **CR/LF**
5. INSTRUCTION

EXAMPLE

Given the following data

Y	2	5	7	8	5
X ₁	8	8	6	5	3
X ₂	0	1	1	3	4

fit a regression equation of the form

$$Y = b_0 + b_1 X_1 + b_2 X_2$$

Calculate Y for X₁ = 2, X₂ = 4.

INPUT M,N
?

4. Key 2 **:** 5 **CR/LF**

INPUT DATA POINTS
POINT 1

Each data point (X₁, X₂, . . . , X_N, Y) is inputted in one line. Each element of the data point is separated from the others by a comma.

For example,

If M < 4:

Key X₁ **,** X₂ **,** Y **CR/LF** **CR/LF**

If M = 4:

Key X₁ **,** X₂ **,** X₃ **,** X₄ **,** Y **CR/LF**

OPERATING INSTRUCTIONS (Cont)

6. Key X_1 , X_2 , . . . X_M , Y
 ,

or

Key X_1 , X_2 , X_3 , X_4 , Y

6. Key 8 , 0 , 2

7. INSTRUCTION

POINT 2

Continue as described in Step 6,
until all data points have been entered.

8. Read Output

B(0) = 4.488188976374
B(1) = -3.93700787E-02
B(2) = .6377952755911

9. Program will STOP, to continue

Key

10. Read Output

REGRESSION TABLE

SOURCE	SUM OF SQ.	DEG. FREEDOM	MEAN SQ.
REGRESSION	5.074015748031	2	2.537007874016
RESIDUAL	16.12598425197	2	8.062992125985
TOTAL	21.2	4	

F = .3146484375
COEFF. OF DETERMINATION = .2393403654732
COEFF. OF MULTIPLE CORRELATION = .48922424866
STANDARD ERROR OF ESTIMATE = 2.8395408301
DO YOU WISH TO ESTIMATE VALUES OF Y FROM THE
REGRESSION CURVE? (1=YES, 0=NO)
COORDINATE X 1
COORDINATE X 2
Y = 6.960629921259
ANOTHER POINT?

11. INSTRUCTION

DO YOU WISH TO ESTIMATE VALUES OF Y
FROM THE REGRESSION CURVE?
(1 = YES, 0 = NO)
?

OPERATING INSTRUCTIONS (Cont)

12. Key 1 or 0 CR/LF

If you keyed 0, then go to Step 19.

13. INSTRUCTION

12. Key 1 CR/LF

COORDINATE X1

14. Key X1 CR/LF

14. Key 2 CR/LF

15. INSTRUCTION

COORDINATE X2

Continue as in Step 14, until all coordinates have been entered.

16. Read Answer

Y = 6.96062992159

17. INSTRUCTION

ANOTHER POINT ?

18. Go to Step 12.

19. Program Ends

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

Nth ORDER REGRESSION

TITLE

PS.01-2200.01A-00FI-3-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Fits the curve: $Y = B_0 + B_1X + B_2X^2 + \dots + B_mX^m$

to a set of N(X,Y)- data points by the least squares method and then performs an analysis of regression. This last part is optional.

BLOCK	SAVE "NAME"	BYTES REQUIRED
3		2233

PROGRAM DESCRIPTION

This is a two-part program. The first segment fits the curve:

$$Y = b_0 + b_1X + b_2X^2 + \dots + b_MX^M$$

to a set of $N(X, Y)$ data points by the method of least squares. The second segment performs an analysis of regression - the regression table, F-value, coefficient of determination, coefficient of correlation, and standard error of estimate are printed out. The user may also estimate values of Y from the regression curve by supplying values for x. ($M \leq 6$)

Ref. 1: Kuo, Shan S. "Numerical Methods and Computers", Addison-Wesley, 1965, p. 219 ff.

Ref. 2: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc., 1969, p. 264 ff.

Formulae

b_0, b_1, \dots, b_M are the solutions of the following equations

$$mb_0 + (\Sigma X)b_1 + \dots + (\Sigma X^M)b_M = \Sigma Y$$

$$(\Sigma X)b_0 + (\Sigma X^2)b_1 + \dots + (\Sigma X^{M+1})b_M = \Sigma XY$$

.
.
.

$$(\Sigma X^M)b_0 + (\Sigma X^{M+1})b_1 + \dots + (\Sigma X^{2M})b_M = \Sigma X^M Y$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Given the following data

X	0	1	2	3	4	5	6	7	8	9
Y	9.1	7.3	3.2	4.6	4.8	2.9	5.7	7.1	8.8	10.2

fit the curve

$$Y = b_0 + b_1 X + b_2 X^2$$

and estimate Y at X = 2.

1. Key **RESET** **CLEAR** **CR/LF**

LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

INPUT M,N

4. Key M , N **CR/LF**

4. Key 2 , 1 0 **CR/LF**

5. INSTRUCTION

INPUT DATA POINTS

NOTE: 0 raised to the 0 power will result in an error, therefore if X = 0 use X = .0000001 or even some other very small # to approximate 0.

6. Key X₁ , Y₁ **CR/LF**

Key X₂ , Y₂ **CR/LF**

.

.

Key X_N , Y_N **CR/LF**

Key . 0 0 0 0 0 1 , 9 . 1 **CR/LF**

Key 1 , 7 . 3 **CR/LF**

Key 2 , 3 . 2 **CR/LF**

Key 3 , 4 . 6 **CR/LF**

.

.

Key 9 , 1 0 . 2 **CR/LF**

7. Read Output

0 DEG. COEFF. = b₀

0 DEG. COEFF. = 8.698181952449

1 DEG. COEFF. = b₁

1 DEG. COEFF. = -2.34060611459

.

.

M DEG. COEFF. = b_M

2 DEG. COEFF. = .2878787925126

OPERATING INSTRUCTIONS (Cont)

8. Program halts, to continue, Key

CONTINUE CR/LF

9. Read Output

```
          REGRESSION TABLE
SOURCE          SUM OF SQ.      DEG. FREEDOM      MEAN SQ.
REGRESSION      48.92633145245      2                24.46316572623
RESIDUAL         8.63466854755      7                1.232524078221
TOTAL           57.561                9
F= 19.8319320702
COEFF. OF DETERMINATION= .8499909913388
COEFF. OF CORRELATION= .92194956008
STANDARD ERROR OF ESTIMATE= 1.1106412914
DO YOU WISH TO ESTIMATE VALUES OF Y FROM
THE REGRESSION CURVE? (1=YES, 0=NO)
INPUT X
Y= 5.168485296849
ANOTHER POINT? (1=YES, 0=NO)
```

10. INSTRUCTION

DO YOU WISH TO ESTIMATE VALUES OF Y
FROM THE REGRESSION CURVE? (1 = YES,
0 = NO)

11. Key 1 or 0 CR/LF

11. Key 1 CR/LF

If you Key 0, go to Step 17.

12. INSTRUCTION

INPUT X

13. Key X CR/LF

13. Key 2 CR/LF

14. Read Answer

Y = 5.168484893319

15. INSTRUCTION

ANOTHER POINT? (1 = YES, 0 = NO)

16. Go to Step 11.

17. Program halts.

WANG 2200 SERIES PROGRAM

EXPONENTIAL REGRESSION: $Y = Ae^{BX}$

TITLE

PS.01-2200.01A-00FI-4-0

6/4/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Fits the curve: $Y = Ae^{BX}$ to a set of $N(X, Y)$ - data points by the least squares method and then performs an analysis of regression. This last part is optional.

BLOCK	SAVE "NAME"	BYTES REQUIRED
4		1147

PROGRAM DESCRIPTION

Fits the curve:

$$(1) Y = Ae^{BX}$$

to a set of N data points, $(X_1, Y_1), (X_2, Y_2), \dots, (X_N, Y_N)$.

The problem is reduced to linear regression by taking the log of both sides of equation (1):

$$\log(Y) = \log(A) + BX$$

and substituting $Y' = \log(Y)$ and $A' = \log(A)$:

$$(2) Y' = A' + BX$$

A linear regression (by the method of least squares) is performed to determine A' and B . Then, A is determined by:

$$A = e^{A'}$$

An analysis of regression is done on the linear regression - the regression table, F-value, coefficient of determination, coefficient of correlation, and standard error of estimate are printed out. The user may estimate values of Y from the exponential regression curve by inputting values of X .

Ref.: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc., 1969, 1. 273 ff.

Formulae

$$B = \frac{n \sum (X_i \text{ LOG } Y_i) - (\sum X_i) (\sum \text{ LOG } Y_i)}{n \sum X_i^2 - (\sum X_i)^2}$$

$$A = \exp \left[\frac{1}{n} \left\{ (\sum \text{ LOG } Y_i) - b \sum X_i \right\} \right]$$

$$r = \frac{n \sum (X_i \text{ LOG } Y_i) - (\sum X_i) (\sum \text{ LOG } Y_i)}{\sqrt{\left\{ n \sum X_i^2 - (\sum X_i)^2 \right\} \left\{ n \sum (\text{ LOG } Y_i)^2 - (\sum \text{ LOG } Y_i)^2 \right\}}}$$

PROGRAM DESCRIPTION (Cont)

$$\text{F-Test for } r, F = \frac{r^2 (n-2)}{1 - r^2}$$

$$\text{Coefficient of Determination} = r^2$$

$$\text{Standard error of estimate, } \hat{S}_{Y \cdot X} = \frac{1}{N} \sqrt{\frac{(n \sum (\text{LOG } Y)^2 - (\sum \text{LOG } Y)^2) (n \sum X (\text{LOG } Y) - \sum X \sum \text{LOG } Y)^2}{n \sum X^2 - (\sum X)^2}}$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Given the following data

X	Y
0	.25
1	1.1
2	5
3	22.5
4	101
5	452

fit $Y = Ae^{BX}$ and estimate Y at X = 7.

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

4. Key # of data points **CR/LF**

5. INSTRUCTION

6. Key \underline{X}_1 , \underline{Y}_1 **CR/LF**

Key \underline{X}_2 , \underline{Y}_2 **CR/LF**

.

Key \underline{X}_N , \underline{Y}_N **CR/LF**

7. Read Output

8. Program Halts. To continue,

Key **CONTINUE** **CR/LF**

INPUT N

4. Key 6 **CR/LF**

INPUT DATA POINTS

6. Key 0 , . 2 5 **CR/LF**

Key 1 , . 1 . 1 **CR/LF**

.

.

Key 5 , 4 5 2 **CR/LF**

A = .247981950976

B = 1.501811174648

OPERATING INSTRUCTIONS (Cont)

9. Read Output

```
                REGRESSION TABLE
SOURCE          SUM OF SQ.      DEG. FREEDOM      MEAN SQ.
REGRESSION      39.47014407519    1                39.47014407519
RESIDUAL        2.24468250E-04     4                5.61170625E-05
TOTAL          39.47036854344    5
F= 703353.7094924
COEFF. OF DETERMINATION= .9999943129933
COEFF. OF CORRELATION= .9999971565
STANDARD ERROR OF ESTIMATE= 7.49113225E-03
DO YOU WISH TO ESTIMATE VALUES OF Y FROM
THE REGRESSION CURVE? (1=YES, 0=NO)
INPUT X
Y= 9120.490903452
ANOTHER POINT? (1=YES, 0=NO)
```

10. INSTRUCTION

DO YOU WISH TO ESTIMATE VALUES OF Y
FROM THE REGRESSION CURVE?
(1 = YES, 0 = NO)

11. Key 1 or 0
If you key 0, go to Step 17.

11. Key 1

12. INSTRUCTION

INPUT X

13. Key X

13. Key 7

14. Read Answer

Y = 9120.490903452

15. INSTRUCTION

ANOTHER POINT? (1 = YES, 0 = NO)

16. Go to Step 11.

17. Program halts

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

GEOMETRIC REGRESSION: $Y = AX^B$
TITLE

PS.01-2200.01A-00FI-5-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
Fits the curve $Y = AX^B$ to a set of N data points, $(X_1, Y_1), (X_2, Y_2), \dots, (X_N, Y_N)$.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
5		1155

PROGRAM DESCRIPTION

Fits the curve:

$$(1) \quad Y = AX^B$$

to a set of N data points, $(X_1, Y_1), (X_2, Y_2), \dots, (X_N, Y_N)$.

The problem is reduced to linear regression by taking the log of both sides of equation (1):

$$\text{LOG}(Y) = \text{LOG}(A) + B \text{LOG}(X)$$

and substituting $Y' = \text{LOG}(Y)$, $X' = \text{LOG}(X)$, and $A' = \text{LOG}(A)$:

$$(2) \quad Y' = A' + BX'$$

A linear regression (by the method of least squares) is performed to determine A' and B. Then, A is determined by:

$$A = e^{A'}$$

An analysis of regression is done on the linear regression - the regression table, F-value, coefficient of determination, coefficient of correlation, and standard error of estimate are printed out. The user may also estimate values of Y from the geometric regression curve by inputting values of X.

Ref.: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc., 1969, p. 273 ff.

Formulae

$$B = \frac{n \sum (\text{LOG}_{e_i} X_i \text{LOG}_{e_i} Y_i) - (\sum \text{LOG}_{e_i} X_i) (\sum \text{LOG}_{e_i} Y_i)}{n \sum (\text{LOG}_{e_i} X_i)^2 - (\sum \text{LOG}_{e_i} X_i)^2}$$

$$A = \exp \left[\frac{1}{n} \left\{ \sum \text{LOG}_{e_i} Y_i - (2 \text{LOG}_{e_i} X_i) b \right\} \right]$$

$$r = \frac{n \sum (\text{LOG}_{e_i} X_i \text{LOG}_{e_i} Y_i) - (\sum \text{LOG}_{e_i} X_i) (\sum \text{LOG}_{e_i} Y_i)}{\sqrt{[n \sum (\text{LOG}_{e_i} X_i)^2 - (\sum \text{LOG}_{e_i} X_i)^2] [n \sum (\text{LOG}_{e_i} Y_i)^2 - (\sum \text{LOG}_{e_i} Y_i)^2]}}$$

PROGRAM DESCRIPTION (Cont)

Standard Error of Estimate $\hat{S}_{Y \cdot X}$

$$\frac{1}{n} \sqrt{\left[n \sum (\text{LOG } Y)^2 - (\sum \text{LOG } Y)^2 \right] - \frac{(n \sum (\text{LOG } X) (\text{LOG } Y) - \sum \text{LOG } Y \sum \text{LOG } X)^2}{n \sum (\text{LOG } X)^2 - (\sum \text{LOG } X)^2}}$$

$$F \text{ test for } r, F_r = \frac{r^2 (n-2)}{1 - r^2}$$

$$\text{Coeff. of determination} = r^2$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right.

OPERATING INSTRUCTIONS

EXAMPLE

Given the following data

X	1	2	3	4	5	6	7	8
Y	.5	2	5	8	12	18	25	32

fit $Y = AX^B$ and estimate Y when $X = 2.5$.

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

INPUT N
?

4. Key # of data pairs
CR/LF

4. Key **8** **CR/LF**

5. INSTRUCTION

INPUT DATA POINTS

Since $\text{LOG}_e(0)$ is undefined, you must approximate 0 by a near zero value, such as .0000001.

6. Key X₁ ' Y₁ **CR/LF**

6. Key **1** ' **.** **5** **CR/LF**

Key X₂ ' Y₂ **CR/LF**

Key **2** ' **2** **CR/LF**

⋮

⋮

Key X_N ' Y_N **CR/LF**

Key **8** ' **3** **2** **CR/LF**

7. Read output

A = .5097863625245
B = 1.993368171127

8. Program halts. To continue
Key **CONTINUE** **CR/LF**

OPERATING INSTRUCTIONS (Cont)

9. Read Output

```

                REGRESSION TABLE
SOURCE          SUM OF SQ.      DEG. FREEDOM      MEAN SQ.
REGRESSION      13. 76167701101    1                13. 76167701101
RESIDUAL        1. 21254695E-02    6                2. 02091158E-03
TOTAL           13. 77380248054    7
F= 6809. 63832879
COEFF. OF DETERMINATION= . 9991196715978
COEFF. OF CORRELATION= . 99955973888
STANDARD ERROR OF ESTIMATE= 4. 49545502E-02
DO YOU WISH TO ESTIMATE VALUES OF Y FROM
THE REGRESSION CURVE? (1=YES, 0=NO)
INPUT X
Y= 3. 166862158769
ANOTHER POINT? (1=YES, 0=NO)
```

10. INSTRUCTION

DO YOU WISH TO ESTIMATE VALUES OF Y
FROM THE REGRESSION CURVE?
(1 = YES, 0 = NO)

11. Key 1 or 0

11. Key 1

If you key 0, go to Step 17.

12. INSTRUCTION

INPUT X

13. Key X

13. Key 2 . 5

14. Read Answer

Y = 3.166862158769

15. INSTRUCTION

ANOTHER POINT? (1 = YES, 0 = NO)

16. Go to Step 11.

17. Program halts.

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

LINEAR CORRELATION

TITLE

PS. 01-2200.01A-00FI-6-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the coefficient of linear correlation, R , between 2 variables, X and Y .

BLOCK	SAVE "NAME"	BYTES REQUIRED
6		454

PROGRAM DESCRIPTION

Computes the coefficient of linear correlation, R, between 2 variables, X and Y, by the equation:

$$R = \frac{N \sum (X_i Y_i) - (\sum X_i) (\sum Y_i)}{\sqrt{(\sum X_i^2 - \frac{(\sum X_i)^2}{N}) (\sum Y_i^2 - \frac{(\sum Y_i)^2}{N})}}$$

where

N = number of observations

$(X_1, X_2), \dots, (X_N, Y_N)$ are the data points.

The degree of linear correlation varies from no linear correlation ($R = 0$) to perfect linear correlation ($R = \pm 1$).

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Given the following data

X	Y
0	.25
1	1.1
2	5
3	22.5
4	101
5	452

determine the coeff. of correlation.

1. Key RESET CLEAR CR/LF
LOAD CR/LF

2. Key RUN CR/LF

3. INSTRUCTION

4. Key # of data points CR/LF

5. INSTRUCTION

6. Key X₁ , Y₁ CR/LF

Key X₂ , Y₂ CR/LF

⋮

Key X_N , Y_N CR/LF

7. Read Answer

NO. OF DATA POINTS, N?

4. Key 6 CR/LF

INPUT DATA POINTS 1/LINE (X_I, Y_I,
CARRIAGE RETURN)

6. Key 0 , . 2 5 CR/LF

Key 1 , 1 . 1 CR/LF

⋮

Key 5 , 4 5 2 CR/LF

COEFF. OF CORRELATION = .7730712833711

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

CORRELATION MATRIX

TITLE

PS.01-2200.01A-00FI-7-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Given a set of N observations in M variables, the correlation coefficient between each pair of variables is computed.

BLOCK	SAVE "NAME"	BYTES REQUIRED
7		1596

PROGRAM DESCRIPTION

Given a set of N observations in M variables, the correlation coefficient between each pair of variables is computed. The observations should be arranged in the following format: (M ≤ 9)

		VARIABLES				
		V ₁	V ₂	V ₃	...	V _M
OBSERVATIONS	1	1.2	1.4			
	2	3.0	3.6			
	3					
	.					
	.					
	.					
N						

The correlation matrix is an array of correlation coefficients where the element in the ith row and jth column of the matrix is the correlation coefficient between the ith and jth variables. The correlation matrix is printed out row by row skipping a line between each row; each row is printed out from left to right using as many lines as required.

Ref.: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc. 1969, p. 80.

Formula

$$r_{I,J} = \frac{N * \sum X_I X_J - \sum X_I \sum X_J}{\sqrt{(N \sum X_I^2 - (\sum X_I)^2) (N \sum X_J^2 - (\sum X_J)^2)}}$$

r is the coefficient of correlation between Col. I and Row J.
I, J

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right.

OPERATING INSTRUCTIONS

EXAMPLE

VARIABLES

	V ₁	V ₂	V ₃	V ₄	V ₅	V ₆
1	1	2	3	4	5	6
2	2	4	6	8	10	12
3	1	1	2	2	3	3
4	10	20	30	40	50	60
5	20	21	30	31	40	41
6	5	6	8	9	10	11
7	8	9	12	13	20	21
8	6	5	8	7	9	8

OBSERVATIONS

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

INPUT N, M

4. Key # of OBS. ' # of Variables,
CR/LF

4. Key 8 ' 6 **CR/LF**

5. INSTRUCTION

INPUT MATRIX

The matrix is inputted 1 row at a time, each element of a row being separated from the other by a comma. The end of a row is signaled by a

CR/LF immediately following a ?.

For example, a row (1, 2, 3, 4, 5) would be inputted as follows:

:1, 2, 3, 4, 5 **CR/LF**

? **CR/LF**

6. Key Row 1 (separate each element by a comma) **CR/LF** **CR/LF**

6. Key 1 ' 2 ' 3 ' 4 ' 5 ' 6
CR/LF **CR/LF**

7. Continue as in Step 6 until all rows have been entered.

OPERATING INSTRUCTIONS (Cont)

8. Read Output

CORRELATION MATRIX:

CORRELATION MATRIX:

1	.9050304029759	.8889477287354	.7861654344404
.8036271568616	.7330850411146		
.9050304029759	1	.9979403263559	.9736735293795
.9784473407736	.9514482103872		
.8889477287354	.9979403263559	1	.9153849761381
.9256854863732	.9049630407939		
.7861654344404	.9736735293795	.9153849761381	1
.9964929192138	.9943204246135		
.8036271568616	.9784473407736	.9256854863732	.9964929192138
1	.9937107479557		
.7330850411146	.9514482103872	.9049630407939	.9943204246135

VARIANCE ANALYSIS

<u>BLOCK NO.</u>	<u>PROGRAM TITLE</u>
8	ONE-WAY ANALYSIS OF VARIANCE
9	TWO-WAY ANALYSIS OF VARIANCE
10	ANALYSIS OF VARIANCE - LATIN SQUARES

This page intentionally left blank

WANG 2200 SERIES PROGRAM

ONE-WAY ANALYSIS OF VARIANCE

TITLE

PS. 01-2200.01A-00FI-8-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216, 2217

EQUIPMENT

PROGRAM ABSTRACT

Performs a one-way analysis of variance on up to 99 groups of data.

BLOCK	SAVE "NAME"	BYTES REQUIRED
8		1565

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

Performs a 1-way analysis of variance on up to 99 groups of data. The analysis of variance table and F-value are printed out.

Ref.: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc., p. 230 ff.

Formulae

Suppose that we have independent random samples of sizes n_1, n_2, \dots, n_k , from k populations and X_{ij} is the jth observation of ith population with

$$n_1 + n_2 + \dots + n_k = n.$$

Suppose that X_{ij} are independently $N(\mu_i, \sigma^2)$, $i=1, \dots, k$, and $X_{ij} = \mu_i + e_{ij}$

$$(i=1, \dots, k; j=1, \dots, n_i)$$

e_{ij} are independently $N(0, \sigma^2)$

Then the F-test for the null-hypothesis,

$$H_0; \mu_1 = \mu_2 = \dots = \mu_k$$

can be written as:

$$F = \frac{SSB/k-1}{SSE/n-k} = \frac{A}{B} = \frac{n-k}{k-1} \frac{\left[\sum_{i=1}^k \frac{1}{n_i} \left(\sum_{j=1}^{n_i} X_{ij} \right)^2 - \frac{1}{n} \left(\sum_{i=1}^k \sum_{j=1}^{n_i} x_{ij} \right)^2 \right]}{\left[\sum_{i=1}^k \sum_{j=1}^{n_i} x_{ij}^2 - \sum_{i=1}^k \frac{1}{n_i} \left(\sum_{j=1}^{n_i} x_{ij} \right)^2 \right]}$$

with k-1 and n-k degrees of freedom.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Given the following data, perform a 1-way analysis of variance

<u>Group 1</u>	<u>Group 2</u>	<u>Group 3</u>
2	3	3
4	4	5
5	2	3
3		2

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

4. Key # of Groups **CR/LF**

5. INSTRUCTION

6. Key # of Elements in Group 1
CR/LF

7. INSTRUCTION

NO. OF GROUPS

?

4. Key 3 **CR/LF**

NO. OF ELEMENTS IN GROUP 1

?

6. Key 4 **CR/LF**

INPUT GROUP 1

Input the elements in the group when requested. The elements in the group are inputted 4/line. If necessary, add zeroes to the end of the group to complete the set of 4 elements. For example, the group 1, 2, 3, 4, 5, 6 is inputted in 2 steps as follows:

: 1, 2, 3, 4

: 5, 6, 0, 0

Note: Each element is separated by a comma.

OPERATING INSTRUCTIONS (Cont)

8. Key Group 1, 4/line CR/LF

Continue until entire group has been entered.

8. Key 2 ' 4 ' 5 ' 3 CR/LF

9. Program will back to Step 5. The next group is asked for. This loop will continue until all groups have been entered.

10. Read Variance Table and F-value.

SOURCE	SUM OF SQ.	DEG. FREEDOM	MEAN SQ.
BETW. GROUPS	.4318181818	2	.2159090909
WITHIN GROUPS	11.75	8	1.46875
TOTAL	12.1818181818	10	
F= .1470019342298			

11. Program Ends

END PROGRAM

WANG 2200 SERIES PROGRAM

TWO-WAY ANALYSIS OF VARIANCE

TITLE

PS.01-2200.01A-00FI-9-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the analysis of variance table and the F-value for the row and column variance in a two-factor experiment.

BLOCK	SAVE "NAME"	BYTES REQUIRED
9		1652

PROGRAM DESCRIPTION

Computes the analysis of variance table and the F-values for the row and column variance in a two-factor experiment.

Ref.: Brunk, H. D., "An Introduction to Mathematical Statistics", Blaisdell Publishing Co., 1965, p. 296.

Formulae:

The analysis of variance table for the observations:

$$X_{ij} \quad [i = 1, 2, \dots, k; \quad j = 1, 2, \dots, n]$$

where k = number of rows and n = number of columns is given below:

$$\text{with } X_{i.} = \frac{1}{n} \sum_{j=1}^n X_{ij}, \quad x_{.j} = \frac{1}{k} \sum_{i=1}^k X_{ij} \text{ and } X_{..} = \frac{1}{nk} \sum_i \sum_j X_{ij};$$

Source of Variation	Sum of Squares	Degrees of Freedom	Mean Square	F
Between Rows	$SS_A = n \sum_i (X_{i.} - X_{..})^2$	k-1	$A = \frac{SS_A}{k-1}$	$F_A = \frac{A}{C}$
Between columns	$SS_B = k \sum_j (X_{.j} - X_{..})^2$	n-1	$B = \frac{SS_B}{n-1}$	$F_B = \frac{B}{C}$
Residual	$SS_e = \sum_i \sum_j (X_{ij} - X_{i.} - X_{.j} + X_{..})^2$	(k-1)(n-1)	$C = \frac{SS_e}{(k-1)(n-1)}$	
Total	$SS_t = \sum_i \sum_j (X_{ij} - X_{..})^2$	nk-1		

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

	A	B	C	D
I	278	273	285	385
II	306	288	310	395
III	277	227	349	368
IV	162	150	141	196
V	162	170	177	154
VI	249	225	227	263

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

4. Key # of rows , # of cols.
CR/LF

5. INSTRUCTION

NO. OF ROWS, NO. OF COLUMNS?
?

4. Key 6 , 4 **CR/LF**

INPUT TABLE OF DATA

It is assumed that the data is arranged in a table (see example). The data in the table is inputted, row by row, 4 elements/line. If necessary, attach zeroes to the end of each row to complete the set of 4 input elements. For example, the row 1, 2, 3, 4, 5 would be inputted in 2 steps as follows:

: 1, 2, 3, 4
: 5, 0, 0, 0

6. Key Row 1 **CR/LF**

6. Key 2 7 8 , 2 7 3 , 2 8 5
3 8 5 **CR/LF**

7. Continue entering rows until all rows have been entered.

OPERATING INSTRUCTIONS (Cont)

8. Read Variance Table and F-value.

SOURCE	SUM OF SQ.	DEG. FREEDOM	MEAN SQ.
TOTAL	137492.958333	23	
COLUMN	16735.791666	3	5578.597222
ROW	106275.208333	5	21255.0416666
RESIDUAL	14481.958334	15	965.4638889333
F(COL)=	5.778152125569		
F(ROW)=	22.01536682028		

WANG 2200 SERIES PROGRAM

ANALYSIS OF VARIANCE - LATIN SQUARES

TITLE

PS. 01-2200.01A-00FI-10-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the analysis of variance table and the F-value for column, row and treatment variance for a simple Latin Square design.

BLOCK	SAVE "NAME"	BYTES REQUIRED
10		1184

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

Computes the analysis of variance table and the F-values for column, row, and treatment variance for a simple Latin square design. The user must supply the matrix of treatment assignments and the matrix of data.

Ref.: Brunk, H. D., "Mathematical Statistics", Blaisdell Publishing Co., 1965, p. 301.

Formulae

The program requires that the matrix of treatment assignments be defined by data statements.

We shall denote the observations by $\{X_{ijk}\}$, where X_{ijk} is the observation on the treatment combination where factor A is at the i th level, B at the j th, C at the k th and the triples (i, j, k) take on only the m^2 values dictated by the particular Latin Square selected for the experiment. Then $\{X_{ijk}\}$ can be tabulated in the following fashion.

	1	2	3	. . .	j=m
1	X_{111}	X_{122}	X_{133}	. . .	X_{1mm}
2	X_{212}	X_{223}	X_{234}	. . .	X_{2m1}
.	.				
.	.				
.	.				
i=m	X_{m1m}	X_{m21}	X_{m32}		$X_{mm(m-1)}$

Let

$$\bar{X}_{i..} = \frac{1}{m} \sum_{j,k} X_{ijk}, \quad \bar{X}_{.j.} = \frac{1}{m} \sum_{i,k} X_{ijk}$$

$$\bar{X}_{..k} = \frac{1}{m} \sum_{ij} X_{ijk}, \quad \bar{X} = \frac{1}{m^2} \sum_{ijk} X_{ijk}$$

PROGRAM DESCRIPTION (Cont)

Note that there are only m terms in the sum $\sum_{j,k} X_{ijk}$, for there are only m pairs (j,k) corresponding to a fixed i.

Then, $SS_A = m \sum_i (\bar{X}_{i..} - \bar{X})^2$, $SS_B = m \sum_j (\bar{X}_{.j.} - \bar{X})^2$

$SS_C = m \sum_k (\bar{X}_{..k} - \bar{X})^2$, $SS_C = \sum_{i,j,k} (X_{ijk} - \bar{X}_{i..} - \bar{X}_{.j.} - \bar{X}_{..k} + 2\bar{X})^2$

$SS_t = \sum_{i,j,k} (X_{ijk} - \bar{X})^2$

Let $A = \frac{SS_A}{m-1}$, $B = \frac{SS_B}{m-1}$, $C = \frac{SS_C}{m-1}$, $E = \frac{SS_C}{(m-1)(m-2)}$,

Then, the analysis of variance table can be presented in the following fashion:

Source of Variation	Degrees of Freedom	Sum of Squares	Mean Sum of Squares	F
Row	m-1	SS_A	A	$F_A = \frac{A}{E}$
Column	m-1	SS_B	B	$F_B = \frac{B}{E}$
Treatment	m-1	SS_C	C	$F_C = \frac{C}{E}$
Residual	(m-1)(m-2)	SS_e	E	
Total	$m^2 - 1$	SS_t		

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Matrix of treatment assignments:

$$\begin{pmatrix} 1 & 2 & 3 & 4 & 5 \\ 2 & 3 & 4 & 5 & 1 \\ 3 & 4 & 5 & 1 & 2 \\ 4 & 5 & 1 & 2 & 3 \\ 5 & 1 & 2 & 3 & 4 \end{pmatrix}$$

Matrix of data:

$$\begin{pmatrix} 40 & 50 & 30 & 40 & 40 \\ 50 & 55 & 35 & 50 & 55 \\ 40 & 60 & 40 & 50 & 45 \\ 35 & 40 & 30 & 35 & 30 \\ 55 & 60 & 45 & 45 & 60 \end{pmatrix}$$

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

Enter N in data statement 500. Enter the matrix of treatment assignments row by row in data statements 501 to 998. For example, one might have for a 5 x 5 Latin Square: ($N \leq 9$)

```
500 DATA 5
501 DATA 1, 2, 3, 4, 5
502 DATA 2, 3, 4, 5, 1
503 DATA 3, 4, 5, 1, 2
504 DATA 4, 5, 1, 2, 3
505 DATA 5, 1, 2, 3, 4
```

Note: Please separate matrix elements with commas and no spaces.

2. Key 5 0 0 **DATA** N

2. Key 5 0 0 **DATA** 5

3. Key 5 0 1 **DATA** A_{1,1} '

3. Key 5 0 1 **DATA** 1 ' 2 ' 3

A_{1,2} ' . . . ' A_{1,N} **CR/LF**

' 4 ' 5 **CR/LF**

.

.

.

.

Key 5 0 N **DATA** A_{N,1} '

Key 5 0 5 **DATA** 5 ' 1 ' 2 '

A_{N,2} ' . . . ' A_{N,N} **CR/LF**

3 ' 4 **CR/LF**

OPERATING INSTRUCTIONS (Cont)

4. Key RUN CR/LF

5. INSTRUCTION

INPUT TABLE OF DATA

The matrix of data is entered 1 row at a time. The elements of the row are separated by a comma. The end of a row is signaled by 2 CR/LF. For example, row 1 is 1, 2, 3, 4, 5, 6 and is entered as follows:

1, 2, 3, 4, 5, 6, CR/LF
? CR/LF

6. Key Row 1 of data matrix,
CR/LF CR/LF

6. Key 4 0 , 5 0 , 3 0 , 4 0
, 4 0 CR/LF CR/LF

7. Continue until all rows have been entered.

8. Read Variance Table and F-values.

SOURCE	SUM OF SQ.	DEG. FREEDOM	MEAN SQ.
ROW	1146	4	286.5
COLUMN	736	4	184
TREATMENT	146	4	36.5
RESIDUAL	168	12	14
TOTAL	2196	24	

F(ROW)= 20.46428571429
F(COL)= 13.14285714286
F(TREAT)= 2.607142857143

This page intentionally left blank

STATISTICAL HYPOTHESIS TESTING

<u>BLOCK NO.</u>	<u>PROGRAM TITLE</u>
11	CHI-SQUARE TEST & DISTRIBUTION
12	CHI-SQUARE ANALYSIS
13	T-TEST
14	WILCOXON MATCHED - PAIRS SIGNED - RANKS TEST
15	MANN-WHITNEY U-TEST

This page intentionally left blank

WANG 2200 SERIES PROGRAM

CHI-SQUARE TEST & DISTRIBUTION
TITLE

PS. 01-2200.01A-00FI-11-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
The Chi-Square test compares an observed distribution with an assumed distribution.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
11		891

PROGRAM DESCRIPTION

The Chi-Square (X^2) test compares an observed distribution with an assumed distribution.

$$X^2 = \sum_{i=1}^N \frac{(O_i - E_i)^2}{E_i}$$

where:

O_i = observed frequency

E_i = expected frequency

N = number of observed values

The larger the deviations, the larger the value of X^2 .

The Chi-Square distribution is a continuous distribution used primarily to check the "goodness of fit" of an assumed distribution when compared to observed frequencies.

If V = degrees of freedom, the probability integral may be approximated by:

$$V \text{ odd: } P(X^2, V) = \left(\frac{(X^2)^{\frac{V+1}{2}} e^{-\frac{X^2}{2}}}{V(V-2) \dots 1} \right) \left(\frac{2}{X^2} \right)^{\frac{1}{2}} \left(1 + \sum_{R=1}^{\infty} \frac{(X^2)^R}{(V+2) \dots (V+2R)} \right)$$

$$V \text{ even: } P(X^2, V) = \left(\frac{(X^2)^{\frac{V}{2}} e^{-\frac{X^2}{2}}}{V(V-2) \dots 2} \right) \left(1 + \sum_{R=1}^{\infty} \frac{(X^2)^R}{(V+2) \dots (V+2R)} \right)$$

Precision should be to about 10^{-5} .

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right.

OPERATING INSTRUCTIONS

EXAMPLE

OBS	EXP
14	10
9	10
7	10
13	10
6	10
11	10

Find X^2 , $P(X^2, 6-1)$

1. Key

2. Key

3. INSTRUCTION

4. Key 0

or

Key 1

TO COMPUTE X^2 INPUT 0, TO
COMPUTE $P(X^2, V)$ INPUT 1

4. Key 0

If you keyed 0, then go to Step 5. Otherwise go to Step 13.

5. INSTRUCTION

NO. OF OBSERVED VALUES?

6. Key # of OBS. Values

6. Key 6

7. INSTRUCTION

INPUT OBSERVED VALUES

The observed and expected values are inputted as follows:

$0_1, E_1$

$0_2, E_2$

OPERATING INSTRUCTIONS (Cont)

8. Key $O_{\underline{1}}$ ' $E_{\underline{1}}$ CR/LF

.

.

Key $O_{\underline{N}}$ ' $E_{\underline{N}}$ CR/LF

8. Key $\underline{1}$ $\underline{4}$ ' $\underline{1}$ $\underline{0}$ CR/LF

Key $\underline{9}$ ' $\underline{1}$ $\underline{0}$ CR/LF

Key $\underline{7}$ ' $\underline{1}$ $\underline{0}$ CR/LF

Key $\underline{1}$ $\underline{3}$ ' $\underline{1}$ $\underline{0}$ CR/LF

Key $\underline{6}$ ' $\underline{1}$ $\underline{0}$ CR/LF

Key $\underline{1}$ $\underline{1}$ ' $\underline{1}$ $\underline{0}$ CR/LF

9. Read

CHI-SQUARE = 5.2

P(5.2, 5) = .6080355905271

10. INSTRUCTION

MORE INPUT? (1 = YES, 0 = NO)

11. Key $\underline{1}$ CR/LF if you have
more input

11. Key $\underline{1}$ CR/LF

Key $\underline{0}$ CR/LF if you have no
more input. Program halts.

12. Go to Step 3.

13. INSTRUCTION

DEGREES OF FREEDOM?

14. Key Deg. of Freedom
CR/LF

15. INSTRUCTION

CHI-SQUARE?

16. Key $\underline{X^2}$ CR/LF

17. Read

18. Go to Step 10.

WANG 2200 SERIES PROGRAM

CHI-SQUARE ANALYSIS

TITLE

PS. 01-2200.01A-00FI-12-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
Computes for an N x M contingency table, the value of CHI-SQUARE.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
12		1683

PROGRAM DESCRIPTION

Computes, for an N x M contingency table, the value of Chi-Square, the number of degrees of freedom, the expected value for each cell and the Chi-Square contribution from each cell.

N times M must be ≤ 50 and must be a multiple of 4.

FORMULAE

Expected Value for Each Cell

The expected value for cell (I, J) is the sum of the observed values of Row I times the sum of the observed values of column J divided by the total observed values.

$$E_{I,J} = \frac{\sum_{J=1}^M O_{I,J} * \sum_{I=1}^N O_{I,J}}{\sum_{I=1}^N \sum_{J=1}^M O_{I,J}}$$

Chi-Square Contribution for Each Cell

$$X^2 = \frac{(O - E)^2}{E}$$

Chi-Square = Σ of the individual contributions

Degrees of Freedom

(# of Rows - 1) (# of Columns - 1)

OPERATING INSTRUCTIONS

EXAMPLE

	I	II	III
A	160	242	37
B	108	178	18

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**
2. Key **RUN** **CR/LF**
3. INSTRUCTION
4. Key No. of Rows **CR/LF**
5. INSTRUCTION
6. Key No. of Cols. **CR/LF**
7. INSTRUCTIONS

NUMBER OF ROWS?

4. Key 2 **CR/LF**

NUMBER OF COLUMNS?

6. Key 3 **CR/LF**

INPUT CONTINGENCY TABLE
4 ELEMENTS/LINE

The elements of the contingency table are entered row by row 4 elements/line. If the last elements to be inputted in a row do not make a set of 4, complete the set of 4 with the first elements in the next row. If it is the last row, complete it with zeroes. For example,

1	2	3	
4	5	6	
7	8	9	

is inputted as follows:

: 1, 2, 3, 4
 : 5, 6, 7, 8
 : 9, 0, 0, 0

8. Key ELEMENT ROW BY ROW
4 ELEMENTS/LINE

CR/LF

8. Key 1 6 0 ' 2 4 2 ' 3 7 '
1 0 8 **CR/LF**

Key 1 7 8 ' 1 8 ' 0 ' 0 **CR/LF**

OPERATING INSTRUCTIONS (Cont)

The expected value for each cell and its Chi-Square contribution is calculated and printed. Also the total Chi-Square is printed and the # of degrees of freedom.

9. Read Table

OBSERVED VALUE	FOR EACH CELL EXPECTED VALUE	CHI 2 CONTRIBUTION
160	COLUMN 1 158.34724	1.7250775E-2
108	109.65276	2.4911481E-2
242	COLUMN 2 248.15612	.15271781
178	171.84388	.22053658
37	COLUMN 3 32.496635	.62407366
18	22.503365	.90121163

CHI-SQUARE = 1.9407019

DEGREES OF FREEDOM = 2

WANG 2200 SERIES PROGRAM

T-TEST

TITLE

PS. 01-2200.01A-00FI-13-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Calculates the T-statistic to test whether or not two samples have the same population mean.

BLOCK	SAVE "NAME"	BYTES REQUIRED
13		1428

PROGRAM DESCRIPTION

Calculates the t-statistic to test whether or not two samples have the same population means. The test is performed for one of the four following hypotheses.

Let μ_i = population mean for sample i.

σ_i = standard deviation for sample i.

Hypothesis 1: $\mu_1 = K$; K = a given value.

Hypothesis 2: $\mu_1 = \mu_2$; $\sigma_1 = \sigma_2$

Hypothesis 3: $\mu_1 = \mu_2$; $\sigma_1 \neq \sigma_2$

Hypothesis 4: $\mu_1 = \mu_2$; where samples 1 and 2 are paired variates.

Sample 1: X_1, X_2, \dots, X_n ; N = no. of elements in sample 1.

Sample 2: Y_1, Y_2, \dots, Y_m ; M = no. of elements in sample 2.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right.

OPERATING INSTRUCTIONS

EXAMPLE

Hypotheses 4: $\mu_1 = \mu_2$

12 pairs of elements

Sample	
2.9	5.8
3.4	4.9
3	2.3
3.4	2.1
3.7	2.6
4	3.8
2.9	7.9
3.1	4
2.8	4.1
2.8	3.8
2.4	3.3
3	3.1

Find T and Degrees of freedom

1. Key
2. Key
3. INSTRUCTION
4. Key HYPOTHESIS CODE

HYPOTHESIS TO BE TESTED?

4. Key 4

If Hypothesis is #4, go to Step 12.

5. INSTRUCTION
6. Key NO. OF ELEMENTS IN SAMPLE 1
7. INSTRUCTION

NO. OF ELEMENTS IN SAMPLE 1

ENTER SAMPLE I

OPERATING INSTRUCTIONS (Cont)

Sample is inputted 4 elements/line completing the last input line with zeroes if necessary. For example, the sample 1, 2, 3, 4, 5, 6 would be inputted in 2 steps as follows:

1, 2, 3, 4
5, 6, 0, 0

Please note: each element of an input line is separated by a comma.

8. Key ELEMENTS OF SAMPLE I
(4 ELEMENTS/LINE)

CR/LF

If hypothesis tested is 2 or 3, then go to Step 16.

9. INSTRUCTION

ENTER GIVEN VALUE OF MEAN

10. Key VALUE OF MEAN CR/LF

11. Go to Step 16.

12. INSTRUCTION

NO. OF PAIRS OF ELEMENTS?

13. Key NO. OF PAIRS OF ELEMENTS

13. Key 1 .2 CR/LF

CR/LF

14. INSTRUCTION

ENTER SAMPLES (1 PAIRS/LINE)

The samples are inputted one pair of data/input line. That is,

X_1, Y_1
 X_2, Y_2
:
 X_N, Y_N

Note: The pairs are separated by a comma.

N = No. of pairs of elements.

OPERATING INSTRUCTIONS (Cont)

15. Key \underline{X}_1 ' \underline{Y}_1 CR/LF

·
·

Key \underline{X}_N ' \underline{Y}_N CR/LF

16. Read

15. Key $\underline{2} \underline{\cdot} \underline{9}$ ' $\underline{5} \underline{\cdot} \underline{8}$ CR/LF

·
·
·

Key $\underline{3} \underline{\cdot} \underline{3}$ ' $\underline{1}$ CR/LF

T VALUE = 1.677252659013

DEG. FREEDOM = 11

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

WILCOXON MATCHED-PAIRS SIGNED-RANK TESTS
TITLE

PS.01-2200.01A-00FI-14-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT

Performs the Wilcoxon matched-pairs signed-ranks test on a set of N pairs of data.

BLOCK	SAVE "NAME"	BYTES REQUIRED
14		1720

PROGRAM DESCRIPTION

Performs the Wilcoxon matched-pairs signed-ranks test on a set of N pairs of data.

Note: It is best to leave tie scores for a given pair out of the analysis. ($N \leq 130$).

Ref.: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc., 1969, p. 181 ff.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right.

OPERATING INSTRUCTIONS

EXAMPLE

For the following data, find T.

12	16
11	9
12	15
10	9
9	12
7	9
6	10
4	9
4	3

1. Key RESET CLEAR CR/LF
LOAD CR/LF

2. Key RUN CR/LF

3. INSTRUCTION

NO. OF PAIRS

4. Key NO. OF PAIRS CR/LF

4. Key 9 CR/LF

5. INSTRUCTION

INPUT PAIRS OF DATA

The pairs (X_i, Y_i) are inputted 1/line as follows:

: X_1, Y_1
 : X_2, Y_2
 :
 : X_N, Y_N

Note: The pairs are separated by a comma.

6. Key X₁ , Y₁ CR/LF

6. Key 1 2 , 1 6 CR/LF

Key X₂ , Y₂ CR/LF

Key 1 1 , 9 CR/LF

:
:

:
:

Key X_N , Y_N CR/LF

Key 4 , 3 CR/LF

7. Read

T = 6.5

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

MANN-WHITNEY U-TEST

TITLE

PS.01-2200.01A-00FI-15-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Performs the Mann-Whitney U test given two samples.

BLOCK	SAVE "NAME"	BYTES REQUIRED
15		1574

PROGRAM DESCRIPTION

Performs the Mann-Whitney U-test given two samples. The size of samples 1 and 2 must be ≤ 40 .

Ref.: Roscoe, John T., "Fundamental Research Statistics", Holt, Rinehart and Winston, Inc., 1969, p. 175 ff.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find u for these 2 samples

Sample 1

4, 4, 1, 3, 2, 5, 5, 8, 9, 9

Sample 2

7, 6, 4, 7, 10, 8, 10, 8, 11, 9

1. Key **RESET** **CLEAR** **CR/LF**

LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

ENTER N 1

4. Key SIZE OF SAMPLE 1 **CR/LF**

4. Key 1 0 **CR/LF**

5. INSTRUCTION

ENTER SAMPLE 1

Input samples 1 and 2 when requested. The samples are inputted 4 elements/line completing the last input line with zeroes if necessary. For example, the sample (1, 2, 3, 4, 5, 6, 6, 8, 9, 10) would be inputted in 3 steps as follows:

: 1, 2, 3, 4

: 5, 6, 7, 8

: 9, 10, 0, 0

Note: The elements of an input line are separated by a comma.

6. Key SAMPLE 1(4 ELEMENTS/LINE)

6. Key 4 , 4 , 1 , 3 **CR/LF**

CR/LF

Key 2 , 5 , 5 , 8 **CR/LF**

Key 9 , 9 , 0 , 0 **CR/LF**

7. The information for Sample 2 will be entered in the same manner as Sample 1. Therefore go to Step 3 and enter data of Sample 2.

8. Read

U = 21

END PROGRAM

PROBABILITY

<u>BLOCK</u>	<u>PROGRAM TITLE</u>
16	NORMAL FREQUENCY AND DISTRIBUTION FUNCTIONS
17	NEGATIVE BINOMIAL DISTRIBUTION
18	BINOMIAL DISTRIBUTION
19	POISSON DISTRIBUTION
20	F-VALUE
21	T-VALUE
22	RANDOM NORMAL DEVIATES

WANG 2200 SERIES PROGRAM

NORMAL FREQUENCY AND DISTRIBUTION FUNCTIONS
TITLE

PS.01-2200.01A-00FI-16-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
Computes values of the normal frequency and normal distribution functions.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
16		607

PROGRAM DESCRIPTION

Computes values of the normal frequency and normal distribution functions. The frequency function is:

$$(1) f(x) = \frac{1}{\sqrt{2\pi}} \left(e^{-\frac{x^2}{2}} \right) \quad 0 \leq x \leq \infty$$

The distribution function is:

$$(2) Q(X) = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^X e^{-\frac{x^2}{2}} dx$$

Equations (1), (2) are for standardized variables. We say, Y is normal (M, σ), if $X = (Y-M)/\sigma$ has the distribution and frequency functions above (where M = mean, σ = standard deviation). The program has the option to standardize the variable if it is not already standardized.

The distribution function is approximated as follows. Given an $X \geq 0$, define $Y = 1/(1+P*X)$, $P = .33267$ then,

$$Q(X) = 1 - e^{-\frac{X^2}{2}} (A_1 Y + A_2 Y^2 + A_3 Y^3) / \sqrt{2\pi} + E$$

where:

$$|E| \leq 10^{-5}$$

$$A_1 = .4361836$$

$$A_2 = -.1201676$$

$$A_3 = .937298$$

$$\text{For } X < 0, \quad Q(X) = 1 - Q(-X) \\ f(X) = f(-X)$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find F(X), Q(X) for:

a standardized variable = 1.5

1. Key

2. Key

3. INSTRUCTION

INPUT '0' FOR A STANDARDIZED
VARIABLE OR '1' FOR A
NON-STANDARDIZED VARIABLE

4. Key 0

4. Key 0

or

Key 1

If you have a standardized variable go to Step 7. Otherwise, go to Step 5.

5. INSTRUCTION

INPUT 'MEAN, STANDARD DEVIATION'

6. Key MEAN STD. DEV.

7. INSTRUCTION

INPUT 'X' (or '99999' TO END PROGRAM)

8. Key X

8. Key 1 . 5

9. Read:

F(X) = .1295175943551

Q(X) = .933198107297

10. INSTRUCTION

INPUT 'X'

11. Go to Step 8.

This page intentionally left blank

WANG 2200 SERIES PROGRAM

NEGATIVE BINOMIAL DISTRIBUTION
TITLE

PS. 01-2200. 01A-00FI-17-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
Computes values of the Negative Binomial Distribution.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
17		639

PROGRAM DESCRIPTION

The negative binomial distribution given by:

$$P(K, R, P) = \frac{(R + K - 1)!}{K! (R-1)!} P^R Q^K$$

is a discrete distribution used in solving waiting time problems. It calculates the probability that the Rth success will occur at a given trial number $R + K$, in a succession of N Bernoulli trials. This program is restricted to R a positive integer.

The program computes $P(K, R, P)$ and keeps a running sum of the probabilities calculated.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

1. Key RESET CLEAR CR/LF
LOAD CR/LF
2. Key RUN CR/LF
3. INSTRUCTION
4. Key K , R , P CR/LF
5. Read:
6. INSTRUCTION
7. Go to Step 4.

EXAMPLE

Find $P(K, R, P)$ for:

K	R	P
1	2	.5
3	4	.5

and the sum of probabilities.

INPUT 'K, R, P' (OR '0, 0, -1) TO PRINT
THE SUM OF THE PROBABILITIES
CALCULATED THUS FAR, OR '0, 0, 0'
TO END PROGRAM)

4. Key 1 , 2 , . 5 CR/LF

$P(K, R, P) = .249999999999$

INPUT 'K, R, P'

Key 3 , 4 , . 5 CR/LF

$P(K, R, P) = .15625$

INPUT 'K, R, P'

Key 0 , 0 , - 1 CR/LF

SUM OF PROBABILITIES = .406249999999

INPUT 'K, R, P'

Key 0 , 0 , 0 CR/LF

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

BINOMIAL DISTRIBUTION

TITLE

PS.01-2200.01A-00FI-18-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

The program computes values of the Binomial Distribution.

BLOCK	SAVE "NAME"	BYTES REQUIRED
18		631

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

The binomial distribution given by:

$$P(K, N, P) = \frac{N!}{K! (N-K)!} P^K Q^{N-K}$$

is a discrete distribution giving the probability of obtaining exactly K successes in N Bernoulli trials.

The program computes $P(K, N, P)$ and keeps a running sum of the probabilities calculated.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

1. Key RESET CLEAR CR/LF
LOAD CR/LF
2. Key RUN CR/LF
3. INSTRUCTION
4. Key K . N . P CR/LF
5. Read:
6. INSTRUCTION
7. Go to Step 4.

EXAMPLE

Find $P(K, N, P)$ for

K	N	P
1	5	.5
2	5	.5

and the sum of probabilities.

INPUT 'K,N,P' (OR '0, 0, -1' TO PRINT THE SUM OF PROBABILITIES CALCULATED THUS FAR, OR '0,0,0' TO END PROGRAM)

4. Key 1 . 5 . .5 CR/LF

$P(K, N, P) = .15625$

INPUT 'K,N,P'

Key 2 . 5 . .5 CR/LF

$P(K, N, P) = .3124999999998$

INPUT 'K,N,P'

Key 0 . 0 . = 1 CR/LF

SUM OF PROBABILITIES = .4687499999998

INPUT 'K, N, P'

Key 0 . 0 . 0 CR/LF

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

POISSON DISTRIBUTION

TITLE

PS.01-2200.01A-00FI-19-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes values of the Poisson Distribution

BLOCK	SAVE "NAME"	BYTES REQUIRED
19		481

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

The Poisson distribution given by:

$$P(K, \lambda) = \frac{e^{-\lambda} \lambda^K}{K!}$$

is a discrete distribution concerned with the occurrence of relatively rare events. K is the frequency, $P(K, \lambda)$ is the probability associated with that frequency, and λ is the expected frequency.

The program computes $P(K, \lambda)$ and keeps a running total of the probabilities calculated.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**
2. Key **RUN** **CR/LF**
3. INSTRUCTION
4. Key K ' LAMBDA **CR/LF**
5. Read:
6. INSTRUCTION
7. Go to Step 4.

EXAMPLE

Find $P(K, \lambda)$ for

K	λ
9	10
7	10

and the sum of probabilities

INPUT 'K, LAMBDA (OR '-1, -1' TO PRINT THE SUM OF THE PROBABILITIES CALCULATED THUS FAR, or '0,0' TO END PROGRAM).

4. Key 9 ' 1 0 **CR/LF**

$P(K, LAMBDA) = .125110035723$

INPUT 'K, LAMBDA'

Key 7 ' 1 0 **CR/LF**

$P(K, LAMBDA) = 9.00792257E-02$

INPUT 'K, LAMBDA'

Key - 1 ' - 1 **CR/LF**

SUM OF PROBABILITIES = .2151892614230

INPUT 'K, LAMBDA'

Key 0 ' 0 **CR/LF**

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

F-VALUE

TITLE

PS. 01-2200. 01A-00FI-20-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes values of the probability of the F-ratio.

BLOCK	SAVE "NAME"	BYTES REQUIRED
20		725

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

Computes the probability of an F-ratio with N degrees of freedom in the numerator and D degrees of freedom in the denominator.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find the value of the F-ratio of 28.7 with 1 degree of freedom in the numerator and 8 degrees of freedom in denominator.

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**
2. Key **RUN** **CR/LF**
3. INSTRUCTION
4. Key F-VALUE **CR/LF**
5. INSTRUCTION
6. Key DEG. FREEDOM IN NUMERATOR
CR/LF
7. INSTRUCTION
8. Key DEG. FREEDOM IN DENOMINATOR
CR/LF
9. Read
10. INSTRUCTION
11. Go to Step 4.

F-VALUE? (TO END PROGRAM INPUT 99999)

4. Key 2 8 . 7 **CR/LF**

DEG. FREEDOM IN NUMERATOR?

6. Key 1 **CR/LF**

DEG. FREEDOM IN DENOMINATOR?

8. Key 8 **CR/LF**

PROBABILITY OF F= 9.83000000E-04

F-VALUE?

This page intentionally left blank

WANG 2200 SERIES PROGRAM

T-VALUE

TITLE

PS.01-2200.01A-00FI-21-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the probability of a T-value.

BLOCK	SAVE "NAME"	BYTES REQUIRED
21		677

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

Computes the probability of a T-value for a two-tailed test with N degrees of freedom.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find

P(2.2) for 4 deg. of freedom
and P(.7) for 3 deg. of freedom.

1. Key
2. Key
3. INSTRUCTION
4. Key T-VALUE
5. INSTRUCTION
6. Key DEG. OF FREEDOM
7. Read:
8. INSTRUCTION
9. Go to Step 4.

T-VALUE? (TO END PROGRAM INPUT
99999)

4. Key 2 . 2

DEG. FREEDOM?

6. Key 4

PROBABILITY OF T = 9.22090000E-02

T-VALUE?

Key . 7

DEG. FREEDOM?

Key 3

PROBABILITY OF T = .536536

T-VALUE?

Key 9 9 9 9 9

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

RANDOM NORMAL DEVIATES

TITLE

PS.01-2200.01A-00FI-22-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Generates random normal deviates.

BLOCK	SAVE "NAME"	BYTES REQUIRED
22		335

PROGRAM DESCRIPTION

Generates random normal deviates with a mean of zero and a variance of one.

Ref.: "Handbook of Mathematical Functions", National Bureau of Standards Applied Mathematics Series .55, 1968, p. 953.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find 20 Random Normal Deviates ?

1. Key

2. Key

3. INSTRUCTION

NO. OF RANDOM NORMAL DEVIATES

4. Key No. of Random Normal Deviates

4. Key 2 0

5. Read

NO. OF RANDOM NORMAL DEVIATES

-1. 383557232697	1. 022692621501	. 1215135834351	-1. 364422270283
-. 8948073958194	. 3948850845874	. 6570253793798	-. 5282952951161
-1. 255201373407	-. 9817867253492	-1. 962471742495	-1. 791781668457
1. 375546518128	. 3341626351156	-. 7562615685378	. 7685680757243
1. 128744313775	-1. 01863679351	-1. 177084245438	. 2473385189663

This page intentionally left blank

MISCELLANEOUS STATISTICS

<u>BLOCK</u>	<u>PROGRAM TITLE</u>
23	MEAN, VARIANCE, STANDARD DEVIATION I
24	MEAN, VARIANCE, STANDARD DEVIATION II
25	GEOMETRIC MEAN AND STANDARD DEVIATION
26	CROSS-COVARIANCE OF TIME SERIES
27	AUTO-COVARIANCE OF TIME SERIES
28	SYSTEM RELIABILITY
29	ERROR FUNCTION

This page intentionally left blank

WANG 2200 SERIES PROGRAM

MEAN, VARIANCE, STANDARD DEVIATION I
TITLE

PS.01-2200.01A-00FI-23-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT

Computes the mean, variance and standard deviation for ungrouped data.

BLOCK	SAVE "NAME"	BYTES REQUIRED
23		532

PROGRAM DESCRIPTION

Computes the mean, variance, and standard deviation for ungrouped data.

For a population:

$$\text{mean} = (\Sigma X_i) / N$$

$$\text{variance} = \left(\Sigma X_i^2 - \frac{(\Sigma X_i)^2}{N} \right) / N$$

$$\text{st. dev.} = \sqrt{\text{variance}}$$

where: N = no. of observations
 X_1, X_2, \dots, X_n = observed values

For a sample: the divisor in the variance formula is N - 1 rather than N.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find the mean, variance and standard deviation of the following population.

Observed Values

2, 3, 4, 5, 6

1. Key

2. Key

3. INSTRUCTION

INPUT 0 FOR A POPULATION, 1 FOR A SAMPLE

4. Key 0

4. Key 0

or

Key 1

5. INSTRUCTION

NO. OF OBSERVATIONS

6. Key NO. OF OBSERVATIONS

6. Key 5

7. INSTRUCTION

INPUT OBSERVATIONS 4/LINE

The observed values are inputted 4/line. If necessary, complete the last input line with zeroes. Separate each element of an input line with a comma.

8. Key OBSERVED VALUES (4/LINE)

8. Key 2 , 3 , 4 , 5

Key 6 , 0 , 0 , 0

9. Read

MEAN = 4

VARIANCE = 2

ST. DEV. = 1.4142135624

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

MEAN, VARIANCE, STANDARD DEVIATION II
TITLE

PS. 01-2200.01A-00FI-24-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
Computes the mean, variance, and standard deviation for grouped data.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
24		481

PROGRAM DESCRIPTION

Computes the mean, variance, and standard deviation for grouped data.

For a population:

$$\text{mean} = \left(\sum_{i=1}^M X_i f_i \right) / N$$

$$\text{variance} = \left(\sum_{i=1}^M X_i^2 f_i - \left(\sum_{i=1}^M X_i f_i \right)^2 / N \right) / N$$

$$\text{st. dev.} = \sqrt{\text{variance}}$$

where: X_i = i th observed value

f_i = number of times X_i occurred.

$$N = \sum_{i=1}^M f_i$$

M = number of observed values.

For a sample, the divisor in the variance formula is $N - 1$ rather than N .

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find mean, variance, and standard deviation for the following data taken from a population.

X	freq
61	5
64	18
67	42
70	27
73	8

1. Key RESET CLEAR CR/LF

LOAD CR/LF

2. Key RUN CR/LF

3. INSTRUCTION

INPUT 0 FOR A POPULATION,
1 FOR A SAMPLE

4. Key 0 CR/LF

or

Key 1 CR/LF

4. Key 0 CR/LF

5. INSTRUCTION

NO. OF OBSERVATIONS

6. Key NO. OF OBSERVATIONS CR/LF

6. Key 5 CR/LF

7. INSTRUCTION

INPUT XI, FI (1 = 1, 2, . . . M)

The observed value and its frequency is a data pair. Each data pair is an input line, where the two elements of the pair are separated by a comma.

8. Key X₁ , F₁ CR/LF

Key X₂ , F₂ CR/LF

⋮

Key X_M , F_M CR/LF

8. Key 6 1 , 5 CR/LF

Key 6 4 , 1 8 CR/LF

⋮

Key 7 3 , 8 CR/LF

OPERATING INSTRUCTIONS (Cont)

9. Read

MEAN = 67.45

VARIANCE = 8.5275

ST. DEV. = 2.9201883501

END PROGRAM

WANG 2200 SERIES PROGRAM

GEOMETRIC MEAN AND STANDARD DEVIATION

TITLE

PS. 01-2200. 01A-00FI-25-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the geometric mean and geometric standard deviation for a geometrically normal set of data.

BLOCK	SAVE "NAME"	BYTES REQUIRED
25		368

PROGRAM DESCRIPTION

Computes the geometric mean and geometric standard deviation for a geometrically normal set of data.

$$\text{Geometric Mean} = (A_1 \cdot A_2 \cdot A_3 \cdot \dots \cdot A_N)^{1/N}$$

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find the geometric mean and the geometric standard deviation for the following data:

10, 52, 63, 42, 12, 25, 95, 46, 48, 10

1. Key

2. Key

3. INSTRUCTION

NO. OF DATA ELEMENTS

4. Key NO. OF DATA ELEMENTS

4. Key 1 0

5. INSTRUCTION

DATA ELEMENTS 1/LINE

6. Key A₁

6. Key 1 0

Key A₂

Key 5 2

.

.

.

.

Key A_N

Key 1 0

7. Read

GEOMETRIC MEAN IS: 31.17049587113
GEOMETRIC STANDARD DEVIATION IS:
2.258031500973

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

CROSS-COVARIANCE OF TIME SERIES

TITLE

PS.01-2200.01A-00FI-26-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Finds the cross-covariances of series A with series B (which leads and lags A).

BLOCK	SAVE "NAME"	BYTES REQUIRED
26		1793

PROGRAM DESCRIPTION

Finds the cross-covariance of a series A with series B (which leads and lags A). The lag covariance and the lead covariance are calculated for lags and leads of 0, 1, 2, ..., L-1 where $L < N$ and N = number of elements in series A and B.

($N \leq 70$)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find the cross-covariance of series A with series B (L = 5).

Series A

1, 2, 3, 4, 5, 6, 7, 8, 9, 10

Series B

3, 6, 11, 18, 27, 38, 51, 66, 83, 102

1. Key RESET CLEAR CR/LF
LOAD CR/LF

2. Key RUN CR/LF

3. INSTRUCTION

4. Key N , L CR/LF

5. INSTRUCTION

6. Key A₁ , B₁ CR/LF

Key A₂ , B₂ CR/LF

.

.

Key A_N , B_N CR/LF

7. Read

INPUT N,L

4. Key 1 0 , 5 CR/LF

INPUT SERIES A AND B, 2 ELEMENTS/
LINE i.e. A1, B1, CARRIAGE RETURN,
A2, B2, CARRIAGE RETURN, . . .)

6. Key 1 , 3 CR/LF

Key 2 , 6 CR/LF

.

.

Key 1 0 , 1 0 2 CR/LF

LAG/LEAD

0
1
2
3
4

LAG COVARIANCE

90.75
77.916666666667
59.25
34.25
2.4166666666667

LEAD COVARIANCE

90.75
63.25
34.25
4.25
-26.25

This page intentionally left blank

WANG 2200 SERIES PROGRAM

AUTO COVARIANCE OF A TIME SERIES
TITLE

PS. 01-2200. 01A-00FI-27-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT		
Finds the auto-covariance of a time series.		
BLOCK	SAVE "NAME"	BYTES REQUIRED
27		1345

PROGRAM DESCRIPTION

Finds the autocovariances of a time series for lags of 0 to L where $L < N$ and N = number of elements in the series. ($N \leq 96$)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

For the time series

1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12
13, 14, 15, 16

find autocovariances for 7 lags

1. Key RESET CLEAR CR/LF
LOAD CR/LF

2. Key RUN CR/LF

3. INSTRUCTION

4. Key N , L CR/LF

5. INSTRUCTION

INPUT N, L

4. Key 1 6 , 7 CR/LF

INPUT SERIES, 4 ELEMENTS/LINE. IF NECESSARY FILL LAST INPUT LINE WITH ZEROES.

The series A_1, A_2, \dots, A_N is inputted 4 elements/line. Complete the last line with zeroes if necessary. For example, 1, 2, 3, 4, 5, 6 is inputted as follows:

1, 2, 3, 4, CR/LF

5, 6, 0, 0, CR/LF

6. Key A₁ , A₂ , A₃ , A₄
CR/LF

Continue until all elements have been entered.

6. Key 1 , 2 , 3 , 4 CR/LF

Key 5 , 6 , 7 , 8 CR/LF

Key 9 , 1 0 , 1 1 , 1 2
CR/LF

Key 1 3 , 1 4 , 1 5 , 1 6
CR/LF

OPERATING INSTRUCTIONS (Cont)

7. Read:

LAGS	AUTOCOVARIANCE
0	21.25
1	18.41666666667
2	15.25
3	11.75
4	7.91666666667
5	3.75
6	-.75

WANG 2200 SERIES PROGRAM

SYSTEM RELIABILITY

TITLE

PS.01-2200.01A-00FI-28-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Calculates the system reliability when chance failure is present along with wearout.

BLOCK	SAVE "NAME"	BYTES REQUIRED
28		327

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

Calculates the system reliability when chance failure is present along with wearout.

$$R = e^{-X}, X = \sum_{i=1}^N \left(L_i + \frac{1}{M_i} \right) t$$

where:

R = system reliability

M_i = mean wearout time of ith component (hrs.)

L_i = chance failure rate of ith component

t = operating time (hrs.)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Component	Mean Wearout	Chance Failure
1	6000	.0001
2	6500	.00015
3	7000	.0002

Operating Time = 1000

Find value of system reliability

1. Key RESET CLEAR CR/LF
LOAD CR/LF

2. Key RUN CR/LF

3. INSTRUCTIONS

NO. OF COMPONENTS, OPERATING TIME

4. Key NO. OF COMPONENTS ,
OPERATING TIME CR/LF

4. Key 3 , 1 0 0 0 CR/LF

5. INSTRUCTION

MEAN WEAROUT TIME, CHANCE
FAILURE RATE FOR COMPONENT 1

6. Key MEAN WEAROUT TIME ,
CHANCE FAILURE, CR/LF

6. Key 6 0 0 0 , . 0 0 0 1
CR/LF

The program will loop to Step 5 until the mean wearout time and chance failure rate for each component has been inputted. After all components have been entered go to Step 7.

7. Read:

SYSTEM RELIABILITY = .4011700152417

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

ERROR FUNCTION

TITLE

PS. 01-2200.01A-00FI-29-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes values of the error function.

BLOCK	SAVE "NAME"	BYTES REQUIRED
29		1034

PROGRAM DESCRIPTION

Computes the definite integral of the function

$$E(X) = \frac{2}{\sqrt{\pi}} e^{-X^2}$$

between the limits of 0 and X, using the trapezoidal rule with Romberg's extrapolation. The integral is calculated to 4 significant digits.

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Find the value of the error function
at 3 and 5.

1. Key
2. Key
3. INSTRUCTION
4. Key X
5. Read
6. INSTRUCTION

TO END PROGRAM INPUT 0.
INPUT 'INTEGRATION LIMIT X'

4. Key 3

INTEGRAL = .9999779835828

INPUT 'INTEGRATION LIMIT X'

Key 5

INTEGRAL = .9999989816139

INPUT 'INTEGRATION LIMIT X'

Key 0

END PROGRAM

This page intentionally left blank

ENGINEERING

BLOCK	PROGRAM TITLE
30	TALBOT'S FORMULA
31	MANNING'S FORMULA
32	HEADLOSS IN A PIPE
33	BERNOULLI'S EQUATION
34	WARPING STRESS DUE TO TEMPERATURE DIFFERENTIAL
35	PRESSURE DUE TO SURFACE LOADS, POINT LOADS, FINITE OR INFINITE LINE LOADS
36	BEAM
37	OIL WELL DEPLETION
38	NETWORK IMPEDANCE - FINDING A SERIES OR PARALLEL CIRCUIT
39	CHARACTERISTIC GENERATOR RESISTANCE AND SOURCE emf VOLTAGE
40	"ERLANG B" EQUATION

This page intentionally left blank

WANG 2200 SERIES PROGRAM

TALBOT'S FORMULA

TITLE

PE.11-2200.01A-00FI-1-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Estimates the area of waterway opening required for culverts.

BLOCK	SAVE "NAME"	BYTES REQUIRED
30		217

PROGRAM DESCRIPTION

Talbot's formula is one of the best known empirical formulas for estimating the area of waterway opening required for culverts.

$$a = CA^{3/4}$$

where:

a = Required Waterway Opening

A = Drainage Area (Acres)

C = Runoff Coefficient

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

A = 2.1 acres

C = .5

1. Key

2. Key

3. INSTRUCTION

4. Key Area (In Acres)

5. INSTRUCTION

6. Key Runoff Coeff.

7. Read

8. INSTRUCTION

9. Key 0

or

Key 1

DRAINAGE AREA?

4. Key 2 . 1

RUNOFF COEFF.?

6. Key . 5

REQUIRED WATERWAY OPENING =
.8722369398

MORE INPUT? (1 = YES, 0 = NO)

9. Key 0

If you have more input, go to Step 3. Otherwise, go to Step 10.

10.

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

MANNING'S FORMULA

TITLE

PE. 11-2200. 01A-00FI-2-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the discharge quantity for open channel flow.

BLOCK	SAVE "NAME"	BYTES REQUIRED
31		411

PROGRAM DESCRIPTION

This program combines Manning's formula for velocity of water flow with the general flow formula to determine the discharge quantity for open-channel flow.

$$Q = \frac{1.486}{n} AR^{2/3} S^{1/2}$$

where:

Q = Discharge (ft³/sec)

A = Area of flow cross section (ft²)

n = Manning's roughness coefficient

R = Hydraulic radius (ft)

S = Slope of channel (ft/ft)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

$$A = 20 \text{ ft}^2$$

$$S = .003$$

$$n = .03$$

$$R = 2.5 \text{ ft.}$$

1. Key
2. Key
3. INSTRUCTION
4. Key A
5. INSTRUCTION
6. Key n
7. INSTRUCTION
8. Key R
9. INSTRUCTION
10. Key S
11. Read
12. INSTRUCTION
13. Key 0
or
Key 1

AREA OF FLOW CROSS SECTION (SQ. FT.)?

4. Key 2 0

MANNING'S ROUGHNESS COEFF.?

6. Key . 0 3

HYDRAULIC RADIUS (FT.)?

8. Key 2 . 5

SLOPE OF CHANNEL (FT/FT)?

10. Key . 0 0 3

DISCHARGE = 99.94970504597
CU. FT.?SEC.

MORE INPUT? (1 = YES, 0 = NO)

13. Key 0

If you have more input, go to Step 3. Otherwise, go to Step 14.

14.

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

HEADLOSS IN A PIPE

TITLE

PE. 11-2200.01A-00FI-3-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the headloss between two reservoirs on different levels.

BLOCK	SAVE "NAME"	BYTES REQUIRED
32		337

PROGRAM DESCRIPTION

This program calculates the head loss between two reservoirs on different levels. Friction factor, pipe O. D. and length of the line are related to the head loss which is calculated in the following formula:

$$H = \left[f \frac{L}{D} + 1.5 \right] \frac{V^2}{2a}$$

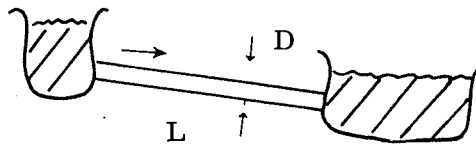
$$H = \left[f \frac{L}{D} + 1.5 \right] \left[\frac{(16/(\pi \cdot D^2))^2}{64.4} \right]$$

where: H = Head loss in ft.

L = Length in ft.

D = O-Diameter of pipe in ft.

f = Friction Factor



NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

L = 150'
f = .013
D = .667'

1. Key
2. Key
3. INSTRUCTION
4. Key L
5. INSTRUCTION
6. Key D
7. INSTRUCTION
8. Key f
9. Read
10. INSTRUCTION
11. Key 0
or
Key 1

LENGTH (FT) ?

4. Key 1 5 0

0-DIAMETER OF PIPE (FT.) ?

6. Key . 6 6 7

FRICTION FACTOR

8. Key . 0 1 3

HEADLOSS = 9.01622697414

MORE INPUT ? (1=YES, 0=NO)

11. Key 0

If you have more input, go to Step 3. Otherwise go to Step 12.

12.

END PROGRAM

This page intentionally left blank

WANG 2200 SERIES PROGRAM

BERNOULLI'S EQUATION

TITLE

PE. 11-2200.01A-00FI-4-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the headwater depth of culverts flowing full.

BLOCK	SAVE "NAME"	BYTES REQUIRED
33		424

© Wang Laboratories, Inc., 1973

Printed in U.S.A.

PROGRAM DESCRIPTION

This program uses Bernoulli's equation to compute the headwater depth of Culverts flowing full.

$$H = \left(1 + K_e + \frac{2.9n^2 L}{R^{4/3}}\right) \frac{V^2}{2g}$$

where:

H = DIFFERENCE IN ELEVATION BETWEEN HEADWATER ELEVATION AND ELEVATION OF TAILWATER SURFACE, OR DIFFERENCE BETWEEN HEADWATER ELEVATION AND CROWN AT OUTLET WHEN CULVERT IS FLOWING FULL WITHOUT TAILWATER BEING ABOVE CROWN (FT)

$V^2/2g$ = Velocity Head (ft)

K_e = Coefficient of Entrance Loss.

n = Manning's Roughness Coefficient

L = Length of Culvert (ft)

R = Hydraulic Radius (ft)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

R = 2.5 ft.

L = 70 ft.

n = .015

$K_e = .2$

$V^2/2g = .8$ ft.

1. Key
2. Key
3. INSTRUCTION
4. Key $V^2/2g$
5. INSTRUCTION
6. Key K_e
7. INSTRUCTION
8. Key n
9. INSTRUCTION
10. Key L
11. INSTRUCTION
12. Key R
13. Read
14. INSTRUCTION
15. Key 0
or
Key 1

VELOCITY HEAD (FT.)?

4. Key . 8

COEFF. OF ENTRANCE LOSS?

6. Key . 2

MANNING'S ROUGHNESS COEFF.?

8. Key . 0 1 5

LENGTH OF CULVERT (FT.)?

10. Key 7 0

HYDRAULIC RADIUS (FT.)?

12. Key 2 . 5

HEADWATER DEPTH (FT.) =
1.0676916087

MORE INPUT? (1 = YES, 0 = NO)

15. Key 0

OPERATING INSTRUCTIONS (Cont)

If you have more input, go to Step 3. Otherwise, go to Step 16.

16.

END PROGRAM

WANG 2200 SERIES PROGRAM

WARPIING STRESS DUE TO A TEMPERATURE DIFFERENTIAL
TITLE

PE. 11-2200.01A-00FI-5-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the warping stress in two directions which exist in the center of a slab of concrete pavement.

BLOCK	SAVE "NAME"	BYTES REQUIRED
34		470

PROGRAM DESCRIPTION

This program computes the warping stress in two directions which exist in the center of a slab of concrete pavement.

$$S_t = \frac{E_c \text{ et}}{2} \left(\frac{C_1 + \mu C_2}{1 - \mu^2} \right)$$

where:

S_t = warping stress (psi)

E_c = modulus of elasticity of concrete (psi)

t = temperature differential

C_1 = coefficient of slab length in desired direction

C_2 = coefficient of slab length normal to C_1

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

$$C_2 = -1.265$$

$$C_1 = 1.265$$

$$E_c = 5,000,000 \text{ psi}$$

$$t = 20$$

1. Key
2. Key
3. INSTRUCTION
4. Key E_c
5. INSTRUCTION
6. Key t
7. INSTRUCTION
8. Key C_1
9. INSTRUCTION
10. Key C_2
11. Read
12. INSTRUCTION
13. Key 0
or
Key 1

MODULUS OF ELASTICITY OF CONCRETE (PSI)?

4. Key 5 0 0 0 0 0 0

TEMPERATURE DIFFERENTIAL?

6. Key 2 0

COEFF. OF SLAB LENGTH IN DESIRED DIRECTION?

8. Key 1 . 2 6 5

COEFF. OF SLAB LENGTH NORMAL TO C1?

10. Key - 1 . 2 6 5

WARPING STRESS = 275

MORE INPUT? (1 = YES, 0 = NO)

13. Key 0

OPERATING INSTRUCTIONS (Cont)

If you have more input, go to Step 3. Otherwise, go to Step 14.

14.

END PROGRAM

WANG 2200 SERIES PROGRAM

PRESSURE DUE TO SURFACE LOADS - POINT LOAD, FINITE
TITLE & INFINITE LINE LOADS

PE. 11-2200.01A-00FI-6-0 6/1/73

NUMBER DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

This program computes horizontal unit pressure due to a point load, or lateral pressure due to a line load either finite or infinite.

BLOCK	SAVE "NAME"	BYTES REQUIRED
35		475

PROGRAM DESCRIPTION

CASE 1 This program computes horizontal unit pressure due to a point load, such as a truck wheel, at any point on the wall of a backfill surface.

$$h_c = P \frac{X^2 Z}{R^5}$$

where:

$$R = \sqrt{X^2 + Y^2 + Z^2}$$

h_c = Horizontal unit pressure (psf)

P = Applied point load (lbs)

X = Horizontal distance from load to wall (ft)

Y = Lateral distance from load to point on wall (ft)

Z = Vertical distance from load to point on wall (ft)

CASE 2 This program computes lateral pressure due to a line load or a narrow strip load of finite length at any depth opposite one end of a parallel strip load on the backfill.

$$h_s = P_s \frac{X^2 Z}{R_1^4} \left[\frac{R_1^2 Y_1}{3(R_1^2 + Y_1^2)^{3/2}} + \frac{2Y_1}{3(R_1^2 + Y_1^2)^{1/2}} \right]$$

where:

$$R_1 = \sqrt{X^2 + Z^2}$$

h_s = Unit lateral pressure (psf)

P_s = Load per unit length of strip (lbs/ft)

X = Distance back of wall (ft)

Z = Depth of pressure (ft)

Y_1 = Length of strip load (ft)

PROGRAM DESCRIPTION (Cont)

CASE 3 This program computes the lateral unit pressure due to a line load or narrow strip of infinite length at any depth opposite one end of a parallel strip load on the backfill.

$$h_s = \frac{4}{3} P_s \frac{X^2 Z}{R_1^4}$$

where:

$$R_1 = \sqrt{X^2 + Z^2}$$

h_s = Unit lateral pressure (psf)

P_s = Load per unit length of strip (lb/ft)

X = Distance back of wall (ft)

Z = Depth of pressure (ft)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

CASE 1

OPERATING INSTRUCTIONS

EXAMPLE

X = 10.5 ft. = horizontal distance from load to wall (ft)

Y = 11.25 ft. = lateral distance from load to point on wall (ft)

Z = 12.0 ft. = vertical distance from load to point on wall (ft)

P = 6,000 lbs. = applied point load

1. Key

2. Key

3. INSTRUCTION

4. Key CASE NO.

5. INSTRUCTION

6. Key APPLIED POINT LOAD ,
HORIZONTAL DISTANCE ,
LATERAL DISTANCE ,
VERTICAL DISTANCE

7. Read:

8. INSTRUCTION

9. Key 0

or

Key 1

CASE NO.

4. Key 1

P, X, Y, Z

6. Key 6 0 0 0 , 1 0 , 5 , 1 1
 , 2 5 , 1 2

HC = 2.805001552062

ANOTHER CASE (1 = YES, 0 = NO)

9. Key 0

If you have another case go to Step 3. Otherwise, go to Step 10.

10.

END PROGRAM

CASE 2

OPERATING INSTRUCTIONS

EXAMPLE

X = 10.5 ft. Distance Back of Wall (ft).

Z = 12 ft. Depth of pressure (ft)

$Y_1 = 11.25$ ft. Length of Strip Load (ft)

$P_s = 6,000$ lb/ft. Load per unit length of strip.

1. Key
2. Key
3. INSTRUCTION
4. Key CASE NO.
5. INSTRUCTION
6. Key LOAD/UNIT LENGTH OF STRIP
: DISTANCE BACK OF WALL
: LENGTH OF STRIP LOAD
: DEPTH OF PRESSURE

CASE NO.

4. Key 2,

P, X, Y, Z

6. Key 6 0 0 0 . 1 0 . 5 2 1
1 . 2 5 . 1 2

7. Read

HS = 62.94973679071

8. INSTRUCTION

ANOTHER CASE (1 = YES, 0 = NO)

9. Key 0

9. Key 0

or

Key 1

If you have another case, go to Step 3. Otherwise, go to Step 10.

10.

END PROGRAM

CASE 3

OPERATING INSTRUCTIONS

EXAMPLE

X = 10.5 ft. Distance back of wall

Z = 12 ft. Depth pressure

$P_s = 6,000$ lb/ft. Load per unit length of strip.

1. Key

2. Key

3. INSTRUCTION

4. Key CASE NO.

5. INSTRUCTION

6. Key LOAD PER UNIT LENGTH OF STRIP
, DISTANCE BACK OF WALL,
, DEPTH PRESSURE,

7. Read

8. INSTRUCTION

9. Key 0

or

Key 1

CASE NO.

4. Key 3

P, X, Z

6. Key 6 0 0 0 , 1 0 . 5 , 1 2

HS = 163.729866604

ANOTHER CASE (1 = YES, 0 = NO)

9. Key 0

If you have another case, go to Step 3. Otherwise, go to Step 10.

10.

END PROGRAM

WANG 2200 SERIES PROGRAM

BEAM

TITLE

PE. 11-2200.01A-00FI-7-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Program recommends steel beams to use for a number of common applications.

BLOCK	SAVE "NAME"	BYTES REQUIRED
36		2713

PROGRAM DESCRIPTION

This program recommends steel beams to use for a number of common applications.

Input L, B, S, W, P, A when requested.

L =
1 for uniformly distributed load
2 for single midpoint load
3 for uniform load plus single midpoint load
4 for two equal symmetric loads

B =
1 for beam supported at both ends
2 for one end fixed, other end supported
3 for beam fixed at both ends
4 for one end fixed (cantilever)

S = length of span in feet

W = distributed load in pounds per foot
(set = 0 if not applicable)

P = each concentrated load in pounds
(set = 0 if not applicable)

A = location of load(s) in feet from end
(set = 0 if not applicable)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. Whenever such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Determine the recommended beam for the following data:

L = 1

B = 1

S = 20 ft.

W = 50 lbs/ft.

P = 0

A = 0

1. Key **RESET** **CLEAR** **CR/LF**
LOAD **CR/LF**

2. Key **RUN** **CR/LF**

3. INSTRUCTION

L, B, S, W, P, A?

4. Key L B S W P A
CR/LF

Key 1 1 2 0 5 0 0 0
CR/LF

5. Read

RECOMMENDED BEAM IS A 6 JR 4.4

6. INSTRUCTION

MORE INPUT (1 = YES, 0 = NO)

7. Key 0 **CR/LF**

7. Key 0 **CR/LF**

or

Key 1 **CR/LF**

If you have more input, program goes to Step 3. Otherwise, program ends.

This page intentionally left blank

WANG 2200 SERIES PROGRAM

OIL WELL DEPLETION

TITLE

PE. 04-2200.01A-00FI-4-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Calculates the number of years that an oil well will produce.

BLOCK	SAVE "NAME"	BYTES REQUIRED
37		624

PROGRAM DESCRIPTION

This program calculates the number of years that an oil well will produce given the current production rate, the minimum number of barrels of oil that must be produced to cover expenses and the reserve to be recovered on decline.

$$D = \frac{C}{I \text{ LOG } \left(\frac{I}{q} \right)}$$

$$Y = \frac{D}{12} \left[\frac{I}{q} - 1 \right]$$

where:

C = Reserve to be recovered on decline (barrels)

I = Initial rate (barrels/month)

q = Economic limit rate (barrels/month)

D = Decline rate (months)

Y = Life of decline production of oil well (years)

It also computes the cumulative production for each year plus the unit production for each year

$$CP_n = \text{LOG} \left[\frac{12N}{D} + 1 \right] DI$$

$$P_n = CP_n - CP_{n-1}$$

where:

CP_n = cumulative production for nth year

P_n = unit production for nth year

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Given:

Reserve to be recovered on decline = 50,000 barrels

Initial rate = 1000 barrels/months

Economic Limit Rate = 200 barrels/months

Find the decline rate (months) and the life of decline production of oil well (years)?

1. Key RESET CLEAR CR/LF
LOAD CR/LF
2. Key RUN CR/LF
3. INSTRUCTION
4. Key RESERVE CR/LF
5. INSTRUCTION
6. Key INITIAL RATE CR/LF
7. INSTRUCTION
8. Key ECONOMIC LIMIT RATE, CR/LF
9. Read

RESERVE TO BE RECOVERED ON DECLINE
(BARRELS)

4. Key 5 0 0 0 0 CR/LF

INITIAL RATE (BARRELS/MO.)?

6. Key 1 0 0 0 CR/LF

ECONOMIC LIMIT RATE (BARRELS/MO.)?

8. Key 2 0 0 CR/LF

Y = 10.35558224267

OPERATING INSTRUCTIONS (Cont)

10. Read

CP(1) = 10146.80805834
P(1) = 10146.80805834
CP(2) = 17782.85486478
P(2) = 7636.04680644
CP(3) = 23907.42529636
P(3) = 6124.57043158
CP(4) = 29021.13755731
P(4) = 5113.71226095
CP(5) = 33410.87903326
P(5) = 4389.74147595
CP(6) = 37256.44790239
P(6) = 3845.56886913
CP(7) = 40678.00149686
P(7) = 3421.55359447
CP(8) = 43759.8273348
P(8) = 3081.82583794
CP(9) = 46563.33706577
P(9) = 2803.50973097
CP(10) = 49134.66211213
P(10) = 2571.32504636
CP(11) = 50000
P(11) = 865.33788787

11. INSTRUCTION

MORE INPUT? (1 = YES, 0 = NO)

12. Key 0 or 1 CR/LF

11. Key 0 CR/LF

If you key 1 CR/LF , program will go to Step 3. Otherwise program ends.

WANG 2200 SERIES PROGRAM

NETWORK IMPEDANCE - FINDING A SERIES OR PARALLEL CIRCUIT
TITLE

PE.03-2200.01A-00FI-1-0 6/1/73
NUMBER DATE
2200A-01, 2215, 2216/2217
EQUIPMENT

PROGRAM ABSTRACT

This program is designed to find a series (parallel) circuit that is in parallel (series) by the leaning-ladder method.

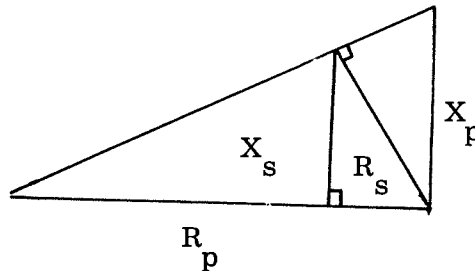
BLOCK	SAVE "NAME"	BYTES REQUIRED
38		393

PROGRAM DESCRIPTION

CASE 1 This program is designed to find a series circuit that is in parallel by the leaning-ladder method

$$R_s = \frac{R_p X_p^2}{(X_p^2 + R_p^2)}$$

$$X_s = \frac{X_p R_p^2}{(X_p^2 + R_p^2)}$$



where:

R_s = Resistance to be in series (ohms)

X_s = Reactance to be in series (ohms)

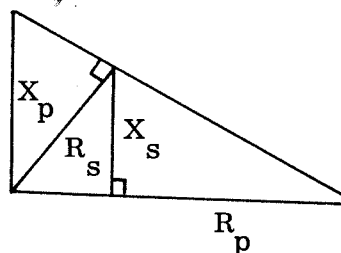
R_p = Resistance in parallel (ohms)

X_p = Reactance in parallel (ohms)

CASE 2 This program is designed to parallel a circuit that is in series. The method is the leaning ladder method.

$$R_p = R_s + \frac{X_s^2}{R_s}$$

$$X_p = X_s + \frac{R_s^2}{X_s}$$



where:

R_p = Resistance to be paralleled (ohms)

X_p = reactance to be paralleled (ohms)

R_s = Resistance in series (ohms)

X_s = reactance in series (ohms)

PROGRAM DESCRIPTION (Cont)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Resistance = 25 (ohms)

Reactance = 50 (ohms)

Find RS, XS

1. Key

2. Key

3. INSTRUCTION

Case 1, finds a series circuit
Case 2, finds a parallel circuit

4. Key CASE NO.

5. INSTRUCTION

6. Key RESISTANCE

7. INSTRUCTION

8. Key REACTANCE

If Case no. 1, go to Step 9.
If Case no. 2, go to Step 11

9. Read

RS = 20
RX = 10

10. Go to Step 12

11. Read

RP =
XP =

12. INSTRUCTION

MORE INPUT? (1 = YES, 0 = NO)

13. Key 0 or 1

13. Key 0

If you keyed 1 , go to Step 3. Otherwise, program ends.

WANG 2200 SERIES PROGRAM

CHARACTERISTIC GENERATOR RESISTANCE AND SOURCE

TITLE

emf VOLTAGE

PE. 03-2200.01A-00FI-2-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

This program computes the characteristic generator resistance and the source emf voltage of an efficient rf switched amplifier whose output power swings with mismatch.

BLOCK	SAVE "NAME"	BYTES REQUIRED
39		567

PROGRAM DESCRIPTION

This program computes the characteristic generator resistance and the source emf voltage of an efficient rf switched amplifier whose output power swings with mismatch.

Generator Resistance

$$R_0 = Z_0 \frac{1 - \frac{R_2}{Z_0} \left(\frac{P_{f \max}}{P_{f \min}} \right)^{1/2}}{\left(\frac{P_{f \max}}{P_{f \min}} \right)^{1/2} - \frac{R_2}{Z_0}}$$

Source emf Voltage

$$E = \frac{2 (R_0 + R_2)}{(Z_0 + R_2)} - \sqrt{Z_0 P_{f \max}}$$

where:

R_0 = Characteristic generator resistance (ohms)

Z_0 = Characteristic impedance of transmission line (ohms)

R_2 = Real load resistance (ohms)

$P_{f \max}$ = Maximum forward-going power (watts)

$P_{f \min}$ = Minimum forward-going power (watts)

E = Source emf voltage (volts)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

EXAMPLE

Characteristic Impedance of transmission line (ohms) = 50

Real load resistance (ohms) = 16.7

Max. forward-going power (watts) = 100

Min. forward-going power (watts) = 20

1. Key

2. Key

3. INSTRUCTIONS

4. Key CHARA. IMPEDANCE

5. INSTRUCTION

6. Key REAL LOAD RESISTANCE

7. INSTRUCTION

8. Key MAX. FORWARD-GOING POWER

9. INSTRUCTION

10. Key MIN. FORWARD-GOING POWER

11. Read

12. INSTRUCTION

CHARA. IMPEDANCE OF TRANSMISSION LINE (OHMS)?

4. Key 5 0

REAL LOAD RESISTANCE (OHMS)?

6. Key 1 6 . 7

MAX. FORWARD-GOING POWER (WATTS)?

8. Key 1 0 0

MIN. FORWARD-GOING POWER (WATTS)?

10. Key 2 0

CHARACTERISTIC GENERATOR RESISTANCE = 6.654685808016 OHMS
SOURCE EMF VOLTAGE = 49.51801111596 VOLTS

MORE INPUT? (1 = YES, 0 = NO)

OPERATING INSTRUCTIONS (Cont)

13. Key 0 CR/LF

13. Key 0 CR/LF

or

Key 1 CR/LF

If you have more input, go to Step 3. Otherwise program ends.

WANG 2200 SERIES PROGRAM

"ERLANG B" EQUATION

TITLE

PE. 03-2200.01A-00FI-3-0

6/1/73

NUMBER

DATE

2200A-01, 2215, 2216/2217

EQUIPMENT

PROGRAM ABSTRACT

Computes the probability that exactly N equipments will be busy simultaneously when offered to Erlang's (Grade of Service).

BLOCK	SAVE "NAME"	BYTES REQUIRED
40		264

PROGRAM DESCRIPTION

In the administration of a telephone or telex exchange, it is common to estimate the load upon groups of equipments by reading Erlang meters associated with each grouping of equipments.

The purpose of such activities is to determine the grade of service given the number of equipments and the traffic offered. The "Erlang B" equation that is calculated is:

$$P = \frac{T^N}{e^T} \frac{1}{N!}$$

where:

T = Traffic offered in Erlangs

N = Number of equipments

P = Probability that exactly N equipments will be busy simultaneously when offered to Erlangs (Grade of Service)

NOTE

Many operating instructions are presented via the CRT (display) or one of the output devices. When such instructions occur the word INSTRUCTION will appear on the left hand side of the operating instructions and what is displayed or typed will appear on the right hand side.

OPERATING INSTRUCTIONS

1. Key
2. Key
3. INSTRUCTION
4. Key TRAFFIC
5. INSTRUCTION
6. Key No. of Equipments
7. Read:
8. INSTRUCTION
9. Key 0
or
Key 1

EXAMPLE

Traffic = 17.075 Erlangs # of
equipment = 24.

TRAFFIC IN ERLANGS

4. Key 1 7 . 0 7 5

NO. OF EQUIPMENTS

6. Key 2 4

P = 2.33546384E-02

MORE INPUT (1 = YES, 0 = NO)

9. Key 0

If you have more input, go to Step 3. Otherwise program ends.



4

7



8

9



Jack Jarvis & Company, Inc.
707 S. W. Washington Street
Portland, Oregon 97205
Telephone: (503) 224-7838

**WANG LABORATORIES
(CANADA) LTD.**

180 Duncan Mill Road
Don Mills, Ontario M3B 1Z6
TELEPHONE (416) 449-7890
TELEX 06-21-7549

WANG EUROPE, S.A.

Buurtweg 13
9412 Ottergem
Belgium
TELEPHONE: 053/74514
TELEX: 26077

WANG ELECTRONICS LTD.

40-44 High Street
Northwood, Middlesex, England
TELEPHONE Northwood 27677

WANG FRANCE SARL

47, Rue de la Chapelle
Paris 18, France
TELEPHONE 203.27.94 or 203.25.94

WANG LABORATORIES GMBH

Moselstrasse No. 4
6000 Frankfurt am Main
West Germany
TELEPHONE (611) 23-00-40

WANG SKANDINAVISKA AB

Fredsgaten 17
S-172-23
Sundbyberg 1, Sweden
TELEPHONE 08-98-12-45

WANG NEDERLAND B.V.

Damstraat 2
Utrecht, Netherlands
TELEPHONE 030-930947

WANG PACIFIC LTD.

61, King Yip Street, 1st Floor
Kwun Tong, Kowloon, Hong Kong
TELEPHONE 3-434231/2

WANG INDUSTRIAL CO., LTD.

110-118 Kuang-Fu N. Rd.
Taipei, Taiwan
Republic of China
TELEPHONE 784181-3

WANG GESELLSCHAFT MBH

Grinzing Allee 16
1190 Vienna 19
Austria
TELEPHONE (0222) 32.42.43

WANG COMPUTER PTY. LTD.

25 Bridge Street
Pymble, NSW 2073
Australia
TELEPHONE 449-6388

**WANG INTERNATIONAL
TRADE, INC.**

836 North Street
Tewksbury, Massachusetts 01876
TELEPHONE (617) 851-4111
TWX 710-343-6769
TELEX 94-7421

PHI COMPUTER SERVICES

836 North Street
Tewksbury, Massachusetts 01876
TELEPHONE (617) 851-4111
TWX 710-343-6769
TELEX 94-7421

24 Mill Street
Arlington, Massachusetts 02174
TELEPHONE (617) 648-8550

WANG

LABORATORIES, INC.

836 NORTH STREET, TEWKSBURY, MASSACHUSETTS 01876, TEL (617) 851-4111, TWX 710 343-6769, TELEX 94-7421

Printed in U.S.A.

700-3120

7-73-1.5M

Volume Price: \$25.00

Package Price: \$250.00